

The future: a path towards effective feedbacks to evaluations
(new Subgroup **SG46**):

- **Clarify of the respective role of nuclear data evaluators and users in the utilisation of integral experiments.** Definition of a widely agreed protocol for the use of integral experiments in evaluations and in V&V

At present a very hot topic!

- **Optimization of the choice of integral experiments** (a priority in order to avoid compensations):

Selecting and prioritizing experiments and in particular those that provide **separate physics effects**:

- ❖ separate burn-up reactivity swing components
- ❖ separate capture from scattering in reactivity effects both for actinides and FP.
- ❖ n-leakage experiments for scattering data assessment
- ❖ etc

- Need of improvement and **extension of covariance data** (cross correlations, angular distributions, secondary neutrons from inelastic scattering, photon production data, delayed neutron data).
- How to assess the **reliability of covariance data**: are there criteria beyond mathematics requirements? **Close interaction with the new SG44** :
« Investigation of Covariance Data in General Purpose Nuclear Data Libraries »
- One issue that deserves further investigation is the understanding of how to exploit **induced (i.e. a-posteriori) correlations between nuclear data and experiments.**

- Investigate how to perform generalized adjustments to provide **unambiguous** feedbacks to evaluators (e.g. PIA et al).
- Explore the potential of the **Continuous Energy Assimilation (i.e. beyond multigroup data)** . Recent results (Aufiero et al) provide interesting feasibility indications.
- Definition of updated target accuracies for design, operation and fuel cycle parameters. **Assess impact of present covariance data on accuracy requirements** (case of Pu-239 fission)

➤ **Define without ambiguity the application domain of any adjusted evaluation/ library and a-posteriori covariance matrix.**

The notion of “**representativity**” of an experiment does help since it **goes beyond the simple comparison** of one experiment with one specific reference system by means of the “similarity” of the associated sensitivity profiles S_R and S_E . The “**representativity**” **factor** r_{RE} in the case of one experiment is given by:

$$r_{RE} = \frac{(S_R^+ D S_E)}{[(S_R^+ D S_R)(S_E^+ D S_E)]^{1/2}}$$

This type of expressions, can be **used to plan new experiments and to verify the range of applicability (in terms of capability to reduce significantly the uncertainties of a set of reference systems)** of the adjustment performed.