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DISCUSSIONS ON LIGHT WATER

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Description of the method implemented in the CONRAD code for calculating covariance matrix between model parameters \Rightarrow **LEAPR parameters (JEFF-3.1.1)**

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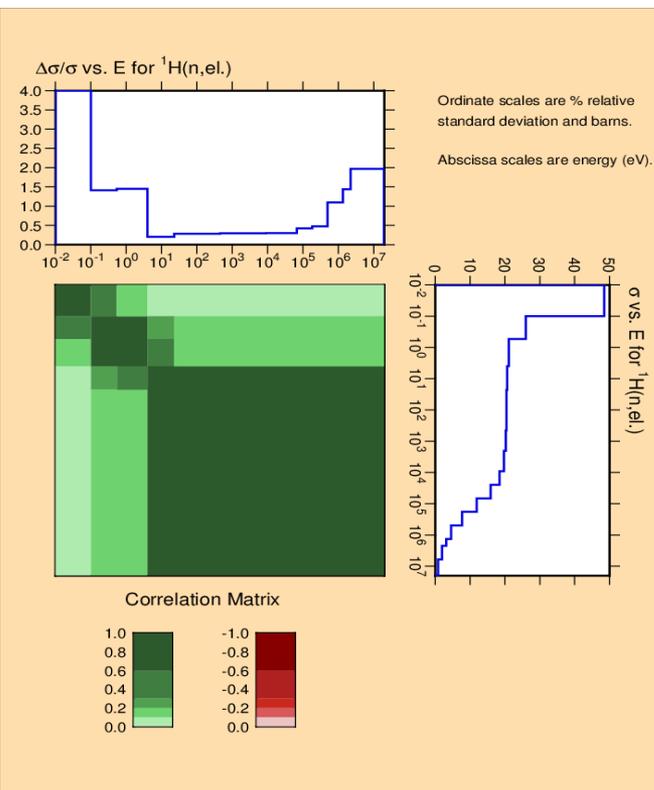


Covariance matrices of the hydrogen neutron cross sections bound in light water for the JEFF-3.1.1 neutron library

G. Noguere*, J.P. Scotta, C. De Saint Jean, P. Archier

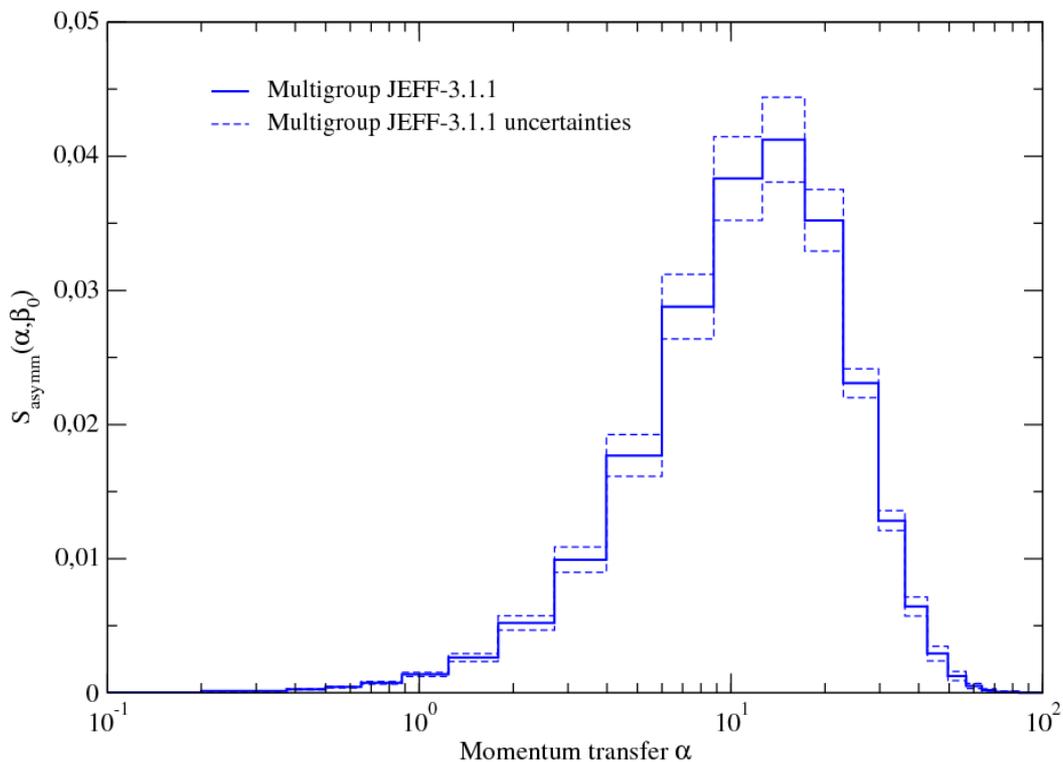
CEA, DEN, DER Cadarache, F-13108 Saint Paul les Durance, France

Full covariance matrix on the elastic scattering cross section of H1 in H2O from thermal to MeV energy range by using **constraints on the bound cross section**



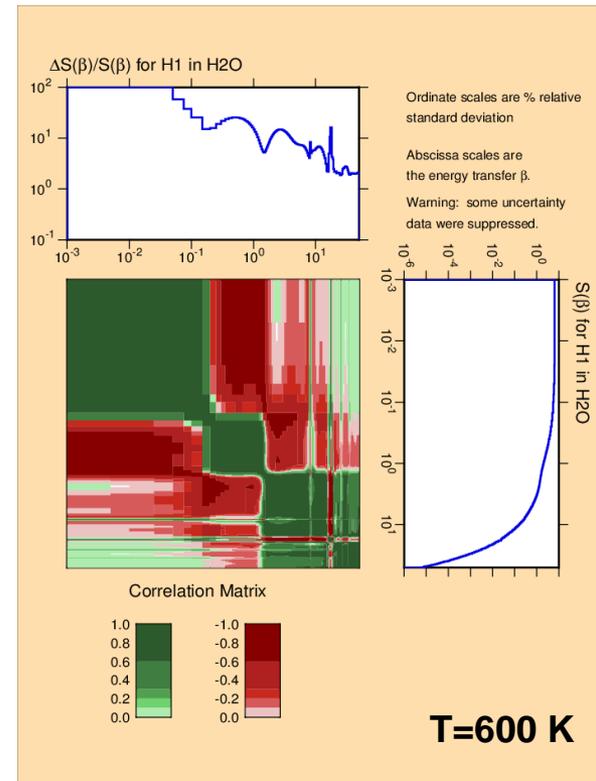
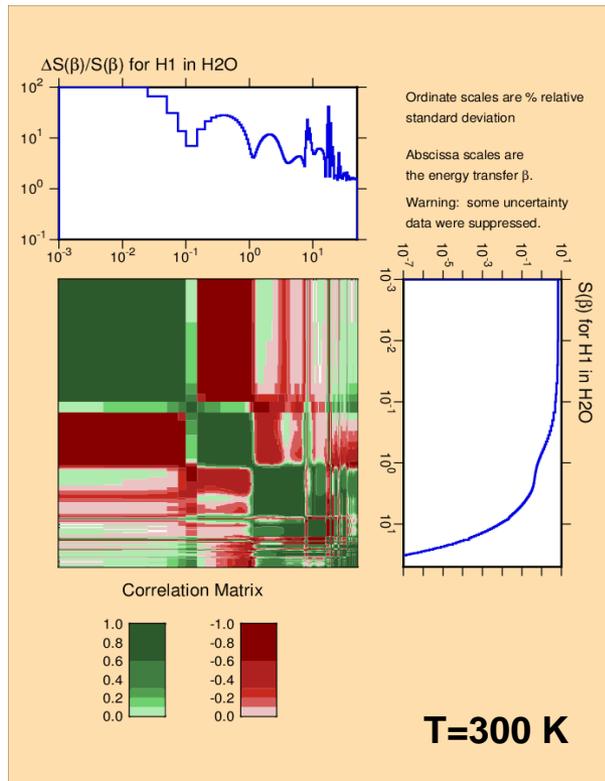
Generation of covariance matrix between $S(\alpha_g, \beta)$

Because of the size of the $S(\alpha, \beta)$ matrix, it is not possible to create a full covariance matrix between the $S(\alpha, \beta) \Rightarrow$ **we use a multigroup representation $S(\alpha_g, \beta)$**

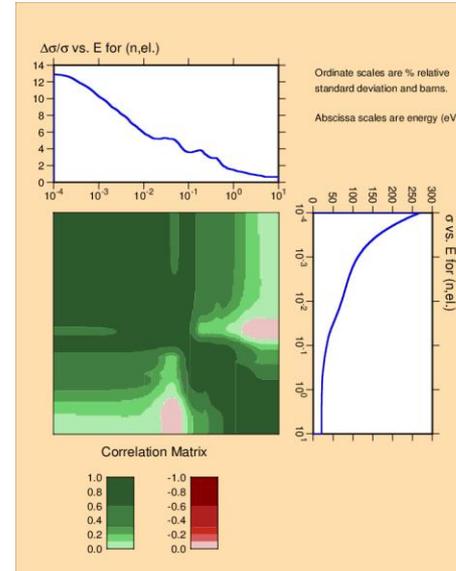
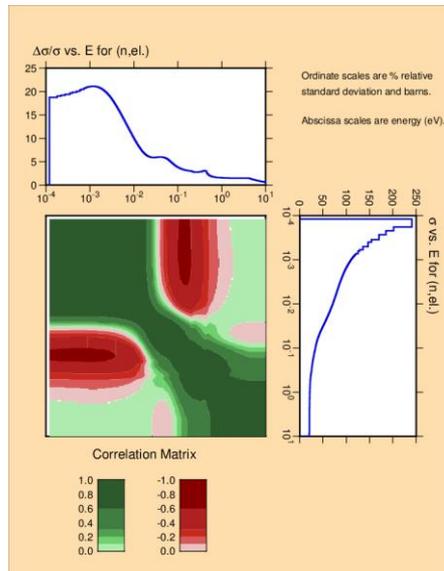
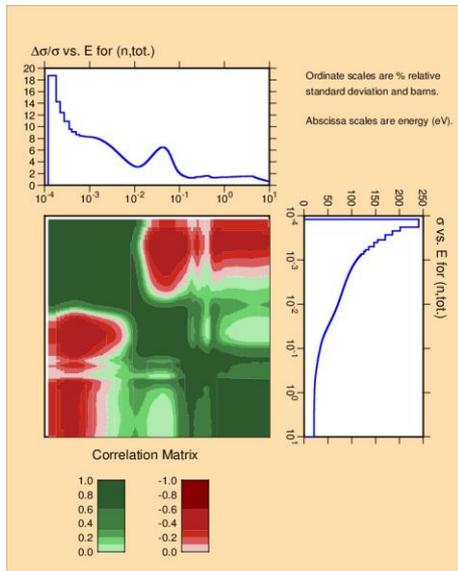


Generation of covariance matrix between $S(\langle\alpha\rangle,\beta)$

The extreme multigroup representation is to average the $S(\alpha,\beta)$ over the α grid \Rightarrow **one-group description $S(\langle\alpha\rangle,\beta)$**



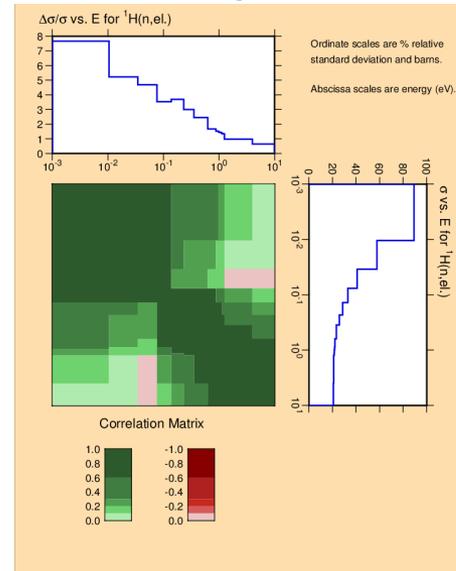
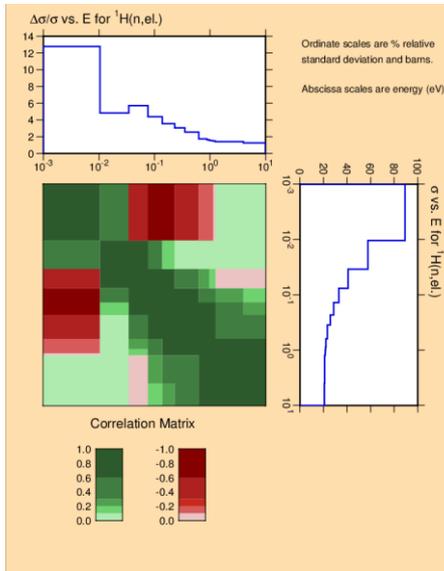
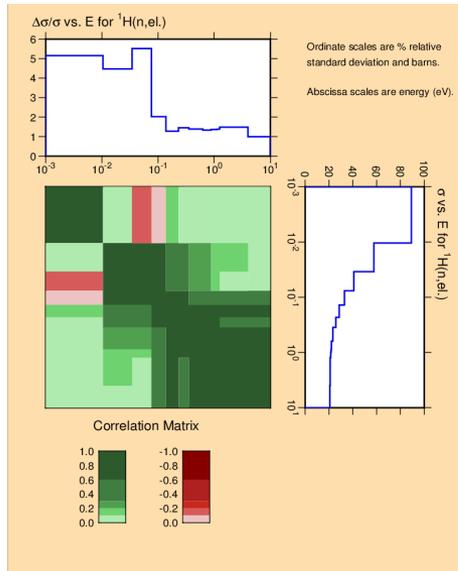
Covariance matrix for the elastic cross section



From LEAPR parameters

From $S(\langle\alpha\rangle,\beta)$ matrix

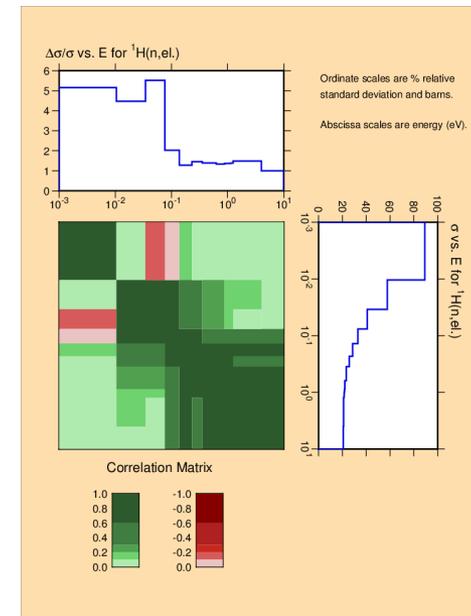
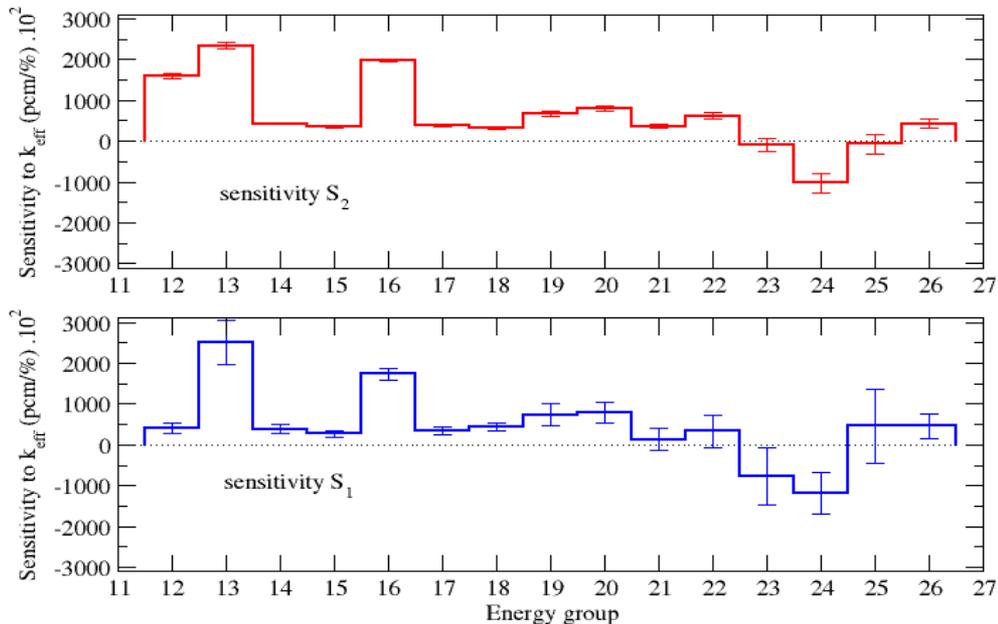
From $S(\alpha_g,\beta)$ matrix



In theory, the IFP method implemented in the Monte-Carlo code TRIPOLI4 can be used to calculate the sensitivity to the elastic cross section and to the $S(\alpha_g, \beta)$ or $S(\langle \alpha \rangle, \beta)$ elements

In practice, we are limited by the convergence of the IFP method for the $S(\alpha_g, \beta)$ or $S(\langle \alpha \rangle, \beta)$ elements

⇒ For the moment, the IFP method of TRIPOLI4 can only be applied to the elastic cross section



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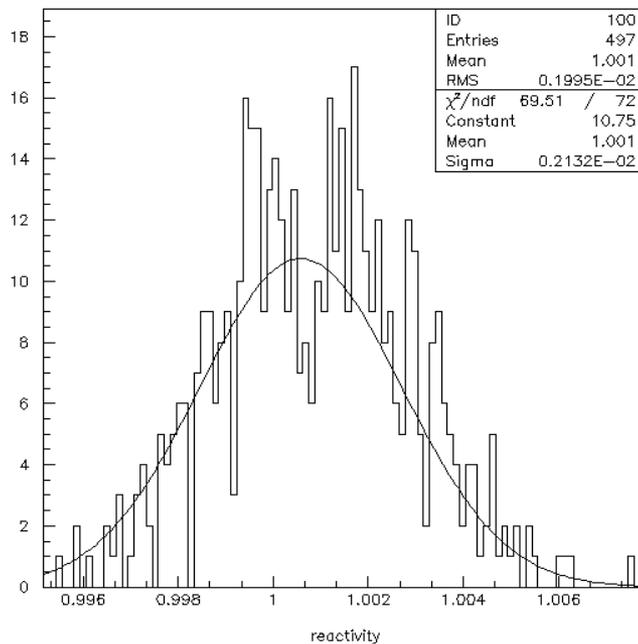
⇒ For the moment, the IFP method of TRIPOLI4 can only be applied to the elastic cross section

IFP sensitivity	IFP uncertainty	Origin of the covariance matrix		
		LEAPR parameters	$S(\langle \alpha \rangle, \beta)$	$S(\alpha_g, \beta)$
sensitivity $S_1(\sigma_n)$	± 70 pcm	114 pcm	159 pcm	125 pcm
sensitivity $S_2(\sigma_n)$	± 10 pcm	130 pcm	161 pcm	132 pcm

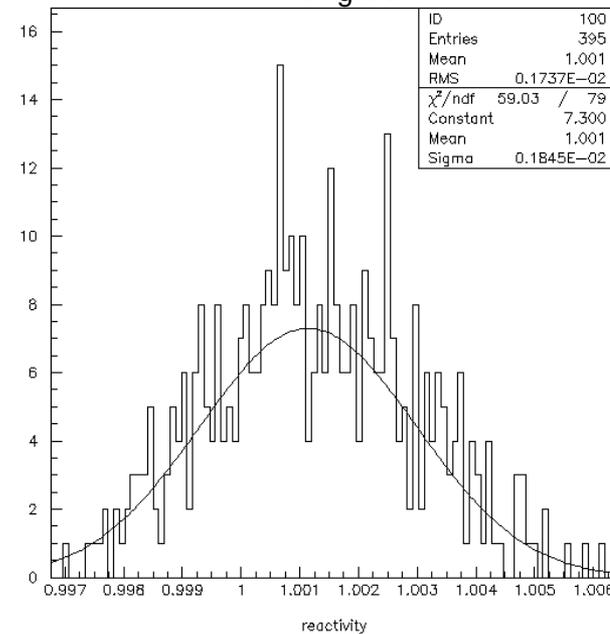
The three covariance matrices provide nearly equivalent results close to 140 pcm

Méthode de propagation	Origin of the covariance matrix	
	$S(\langle\alpha\rangle,\beta)$	$S(\alpha_g,\beta)$
Sensibilité IFP $S_2(\sigma_n)$	161 pcm	132 pcm
Total Monte Carlo	213 pcm	184 pcm

From $S(\langle\alpha\rangle,\beta)$ matrix



From $S(\alpha_g,\beta)$ matrix



IFP and TMC provide nearly equivalent results ⇒ difference of 50 pcm

Decomposition of the keff uncertainty **without the $S(\alpha,\beta)$ contribution**

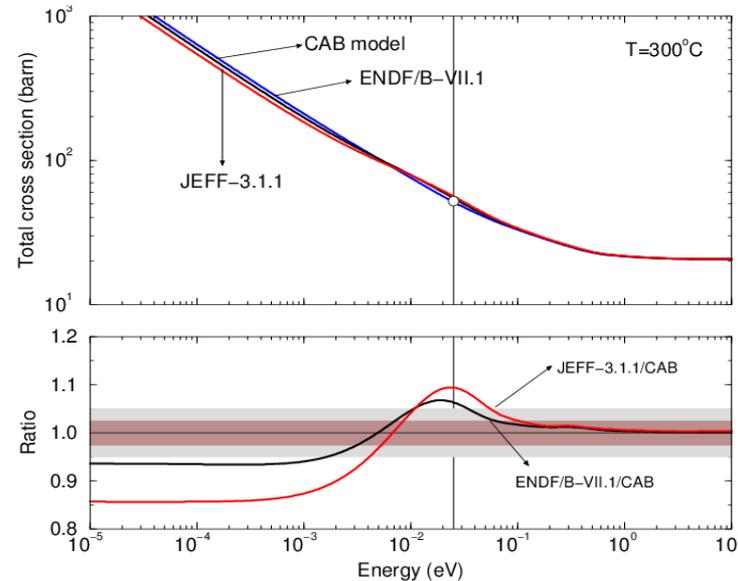
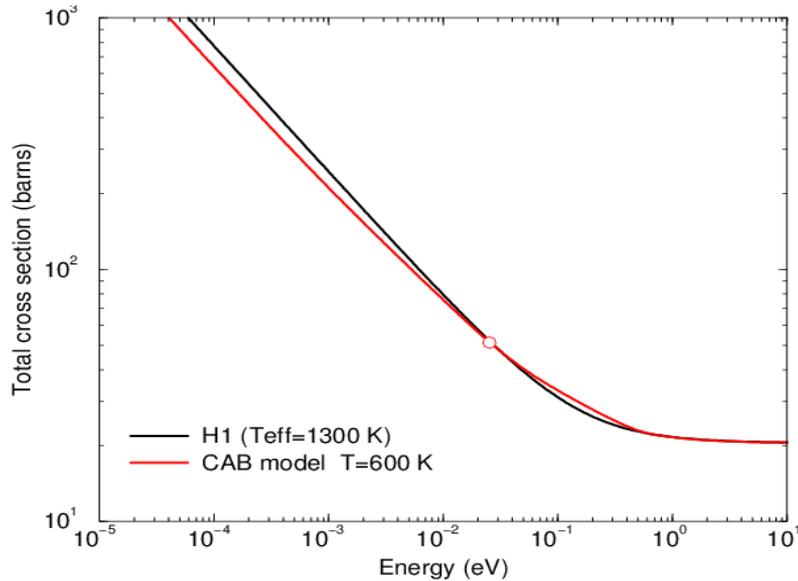
Isotope	FISSION	CAPTURE	ELASTIC	INELASTIC	NXN	NU	DISTRIBUTION	DISTRIBUTION_TH	TOTAL
H1		150	17						151
B10		26							26
O16		97	14	2					98
Zr90		11	72	4					72
Zr91		27	30	2					40
Zr92		27	20	2					33
Zr94		2	8	2					8
Zr96		2	6						6
U234	1	6	2						6
U235	104	174	13			276		142	371
U236		1							1
U238	29	165	83	38	18	32	9		195
TOTAL	108	303	118	39	18	277	9	142	465

Decomposition of the keff uncertainty **with the $S(\alpha,\beta)$ contribution**

Isotope	FISSION	CAPTURE	ELASTIC	INELASTIC	NXN	NU	DISTRIBUTION	DISTRIBUTION_TH	TOTAL
H1_H2O		150	105						183
B10		26							26
O16		97	14	2					98
Zr90		11	72	4					72
Zr91		27	30	2					40
Zr92		27	20	2					33
Zr94		2	8	2					8
Zr96		2	6						6
U234	1	6	2						6
U235	104	174	13			276		142	371
U236		1							1
U238	29	165	83	38	18	32	9		195
TOTAL	108	303	158	39	18	277	9	142	477

⇒ Low impact on the final uncertainty

Impact of the $S(\alpha,\beta)$ in hot conditions



Benchmarks	Temperature	H(H ₂ O)	Δ
Configuration HFP	600 K	C(JEFF-3.1.1)-C(CAB model)	-10 pcm
		C(FGM)-C(CAB model)	-66 pcm
Configuration HZP		C(JEFF-3.1.1)-C(CAB model)	-10 pcm
		C(FGM)-C(CAB model)	-61 pcm

Low impact of the $S(\alpha,\beta)$ in hot conditions \Rightarrow SVT in TRIPOLI with an effective temperature