

D-diagrams and Nuclear Data

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Introduction

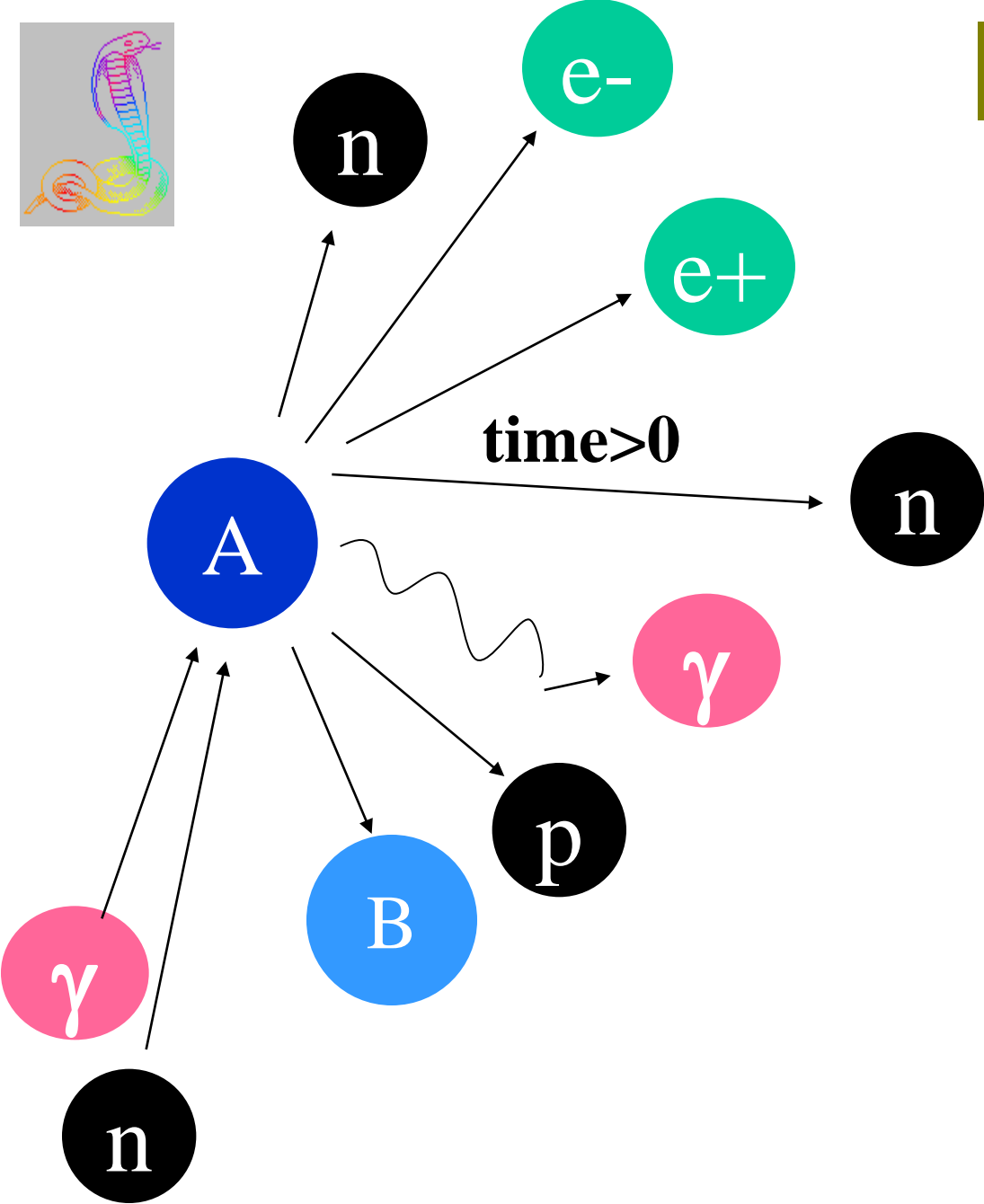


30 years ago Vyacheslav Ogibin from VNIITF suggested using D-diagrams for organization and description of spectral nuclear data for Monte-Carlo programs.

D-diagrams use only **4 nonstructural** and **3 structural** elements.

D-diagrams were very convenient to create complex codes by many people of different qualifications.

The experience showed that it was the good choice as D-diagram are still successfully used.



Reaction Data

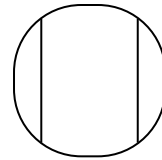
- Cross Section - $\sigma(E_0)$
- Energy reaction - Q
- Particle type - n, γ, p, e^-, \dots
- Yield - $\nu, n_\gamma, n_p, n_{e^-}, \dots$
- Energy out particle - E
- Cos(θ) - μ
- Time - t

Total Data

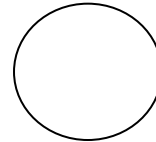
- $\sigma_{tot}(E_0)$ -
- $\langle E_{\gamma} \rangle$ - KERMA
- $\sigma^*(\nu-1)$ - production
- ...

The non-structured types

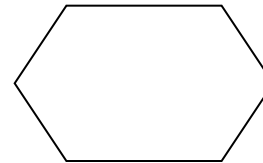
Integer



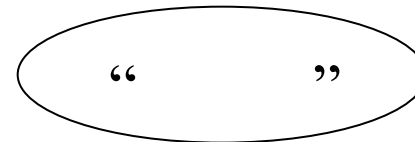
Real



Alphanumeric word

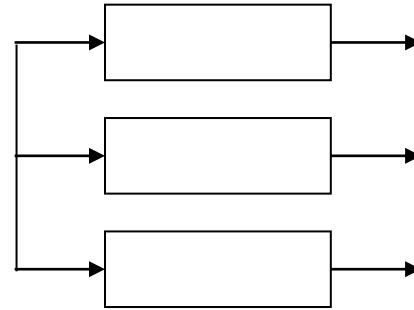


Alphanumeric string (cart)

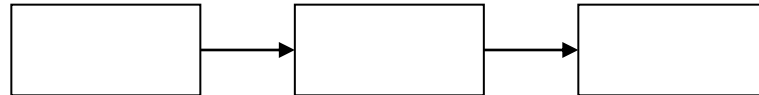


The structured types

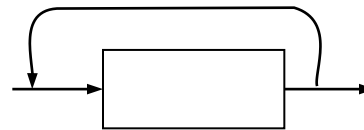
Choice (Branch)



Direct Product



Sequence



Using D-diagrams

- In documentation for the format description of text and binary libraries
- For visually description of data structure and their representation
- Using the following additional symbols: J (Jump), N (Number), O (Omit) and Pac (Packing) show the data representation on cards (for example: Hollerith with 80 position of ASCII).
- Using the following additional symbol for binary data: Y (Address) show the data representation in an array I and R (IR-equivalent).

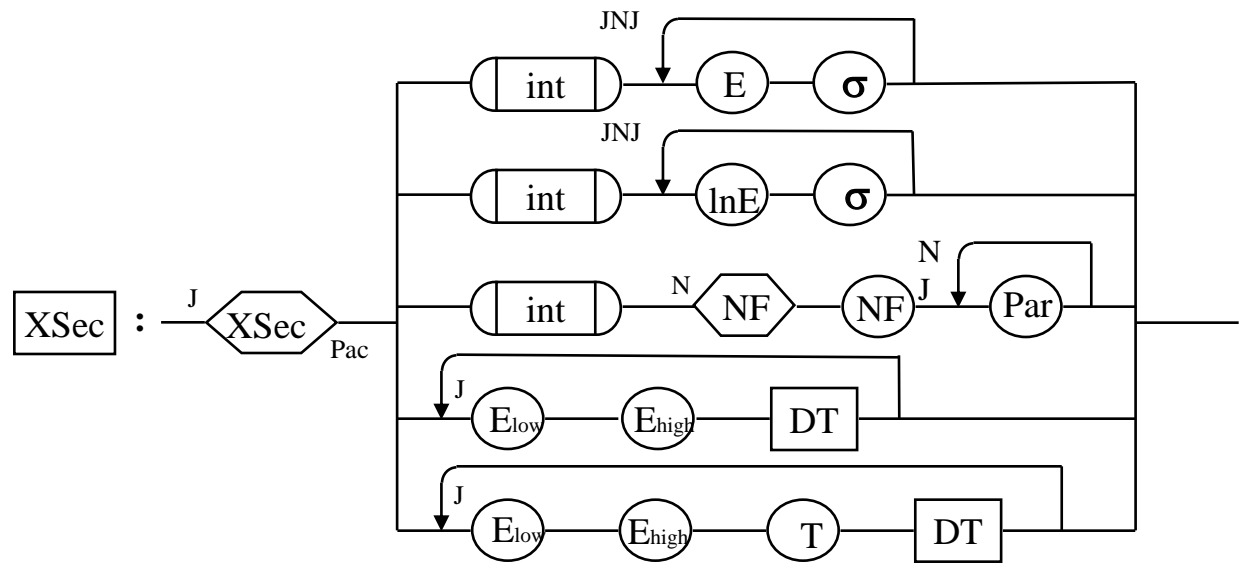
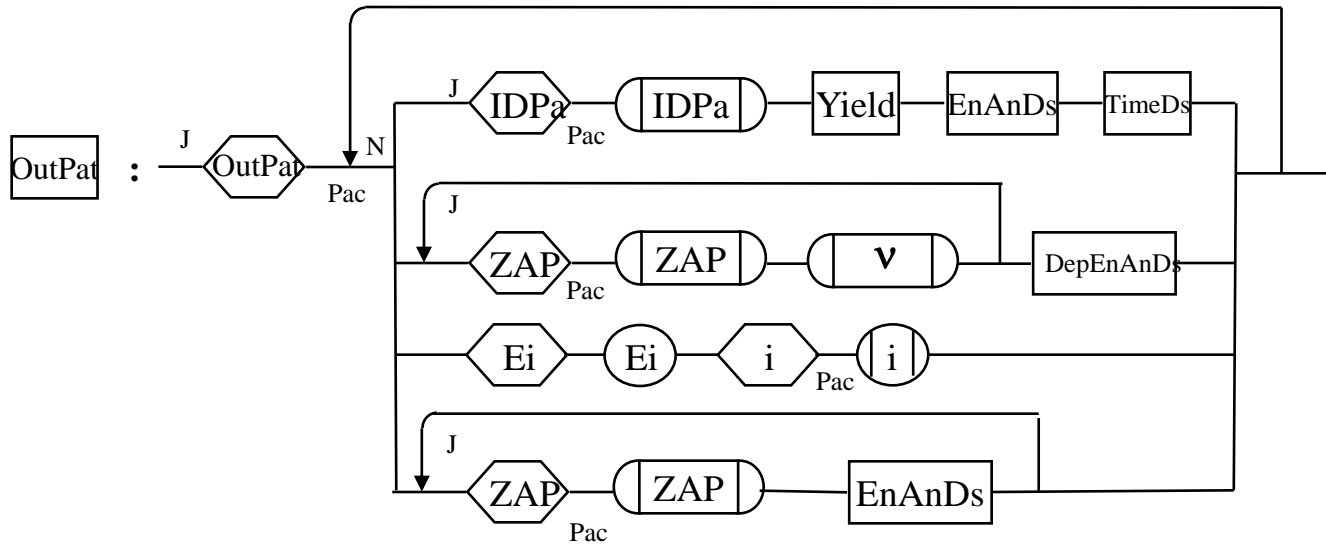
Data representation on ASCII cards

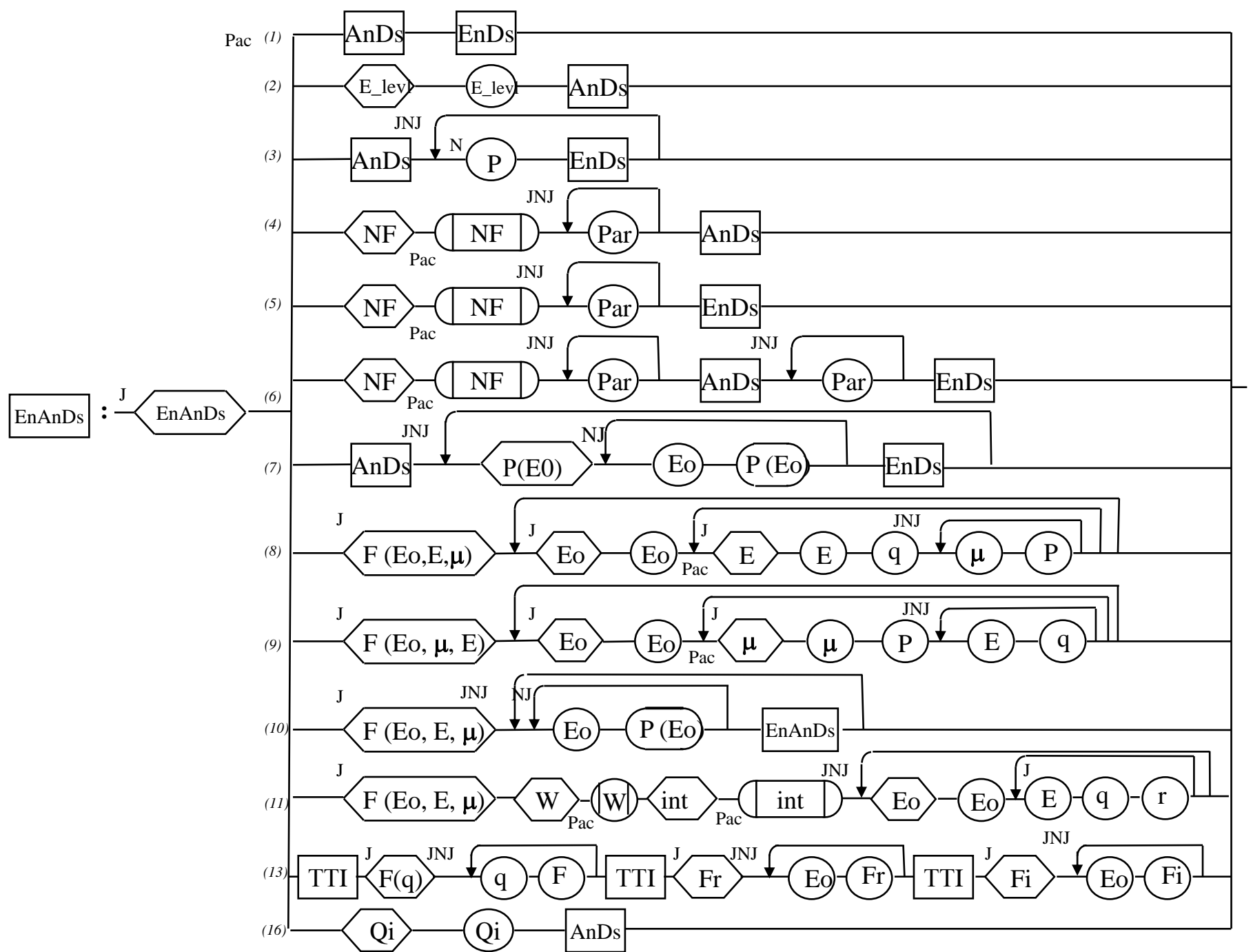
Additional symbols

- **N - Number** of repetitions or the branch **Number**
- **J - Jump** on the following card or a line where values of the D-diagram will be placed.
- **O – Omitting** the current value of data.
- **P – Packing** two values on one field which consists of 12 positions each of which consists of six positions.

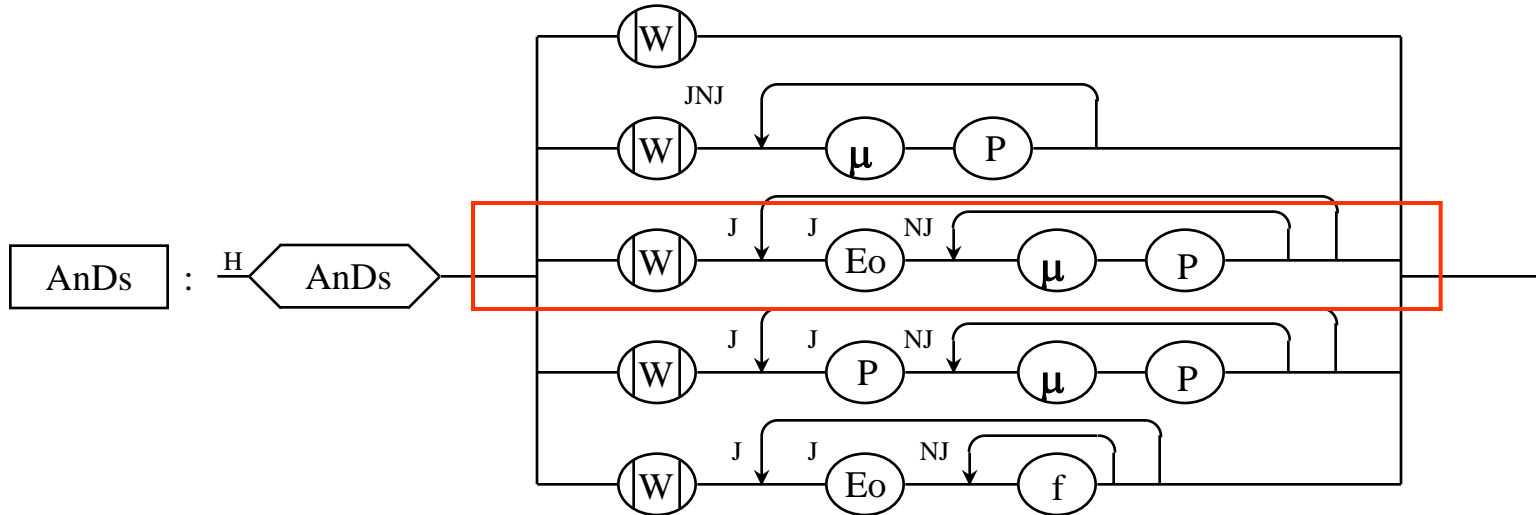
Some combinations:

- **NJ** – transmission to a new line after the number repetition placement.
- **JNJ** – After jumping place N and jump to a new line.

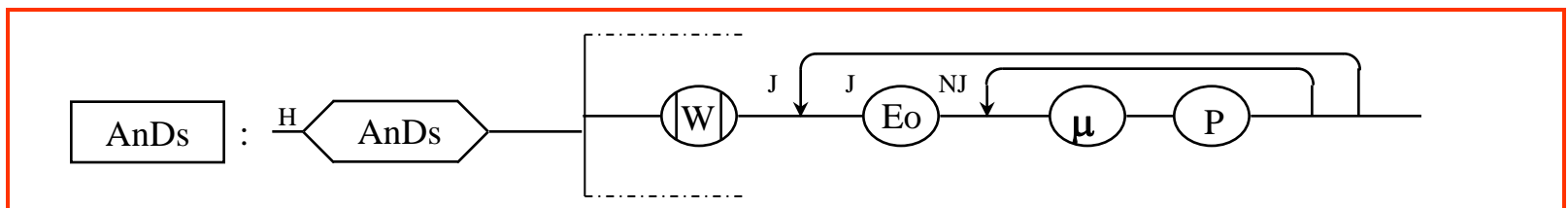


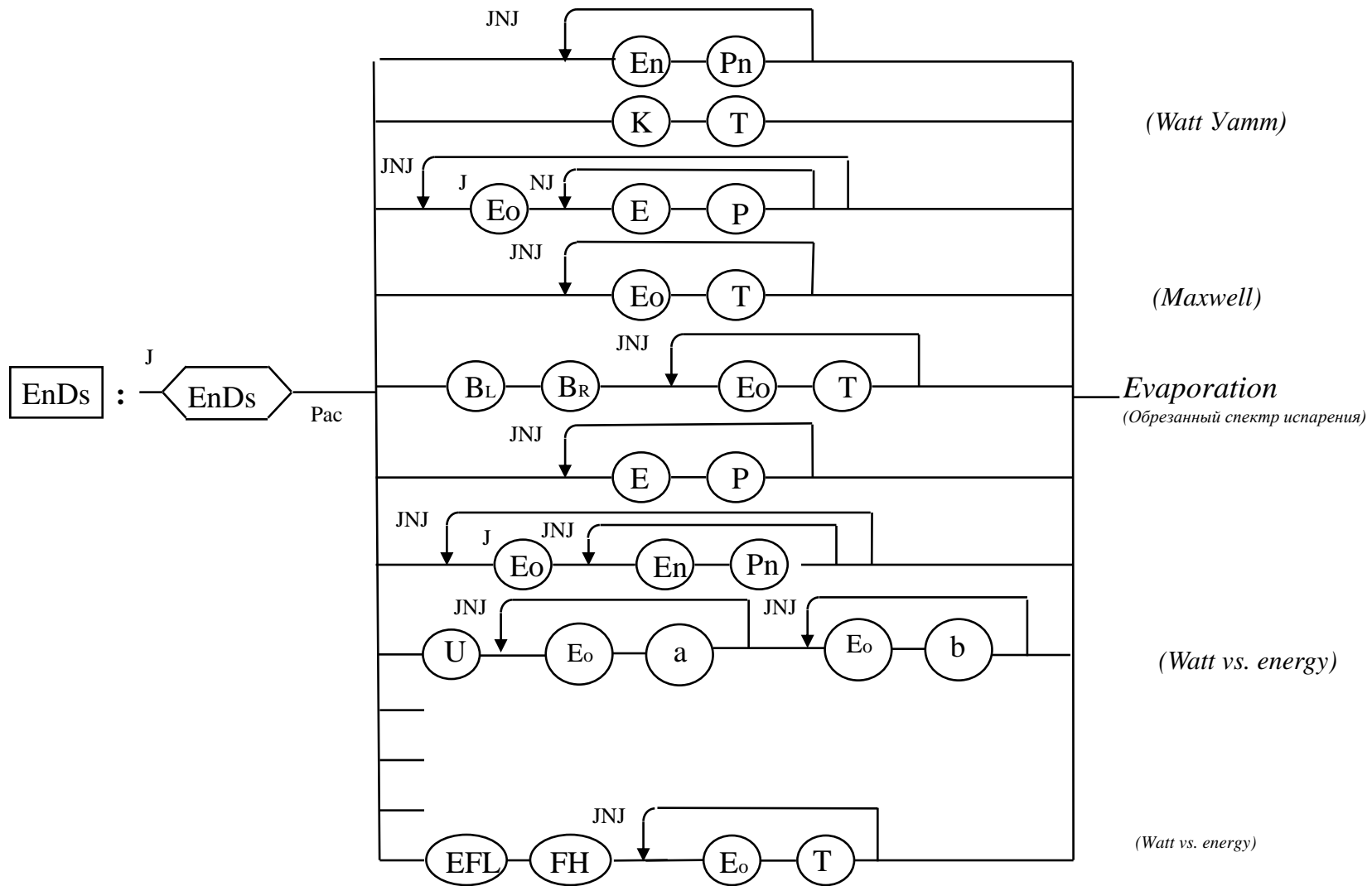


Angle Distribution Data

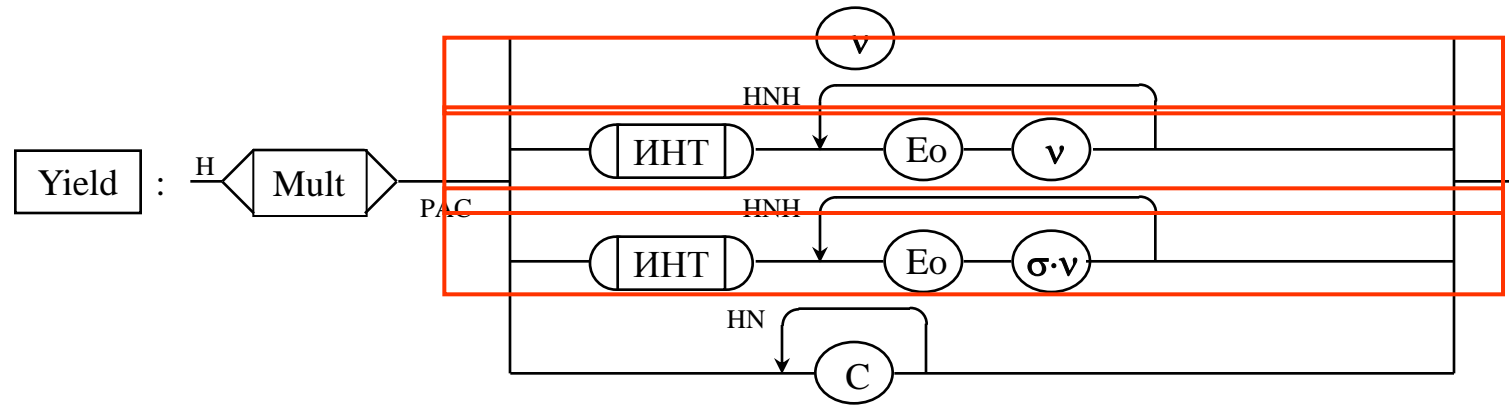


AnDs	3	1				13000 65
	3					13000 66
8.50000+05		2				13000 67
-1.00000+00	5.00000-01	1.00000+00	5.00000-01			13000 68
8.00000+06		2				13000 69
-1.00000+00	5.00000-01	1.00000+00	5.00000-01			13000 70
1.50000+07		3				13000 71
-1.00000+00	2.00000-01	0.00000+00	3.60000-01	1.00000+00	1.08000+00	13000 72





Particle Production Multiplicity



INT is the interpolation scheme identification number used in the range

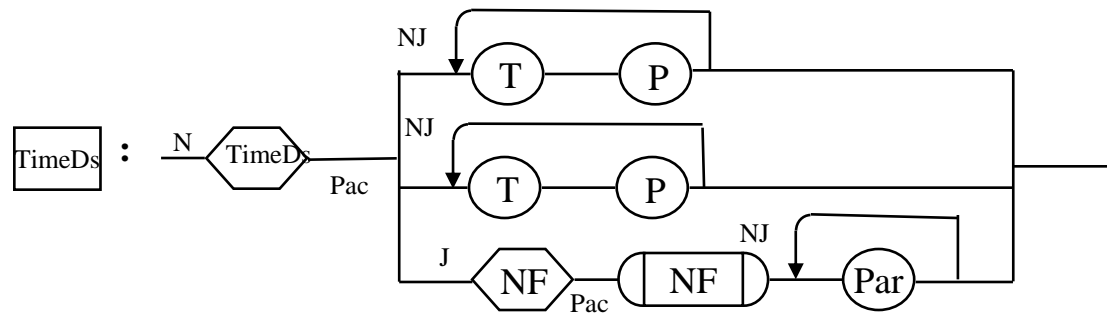
- = 1 y is constant in x (constant, histogram)
- = 2 y is linear in x (linear-linear)
- = 3 y is linear in $\ln(x)$ (linear-log)
- = 4 $\ln(y)$ is linear in x (log-linear)
- = 5 $\ln(y)$ is linear in $\ln(x)$ (log-log)
- = 7 equal(y) is linear in x (equal-linear)

v is independent of E_0 and has constant value;

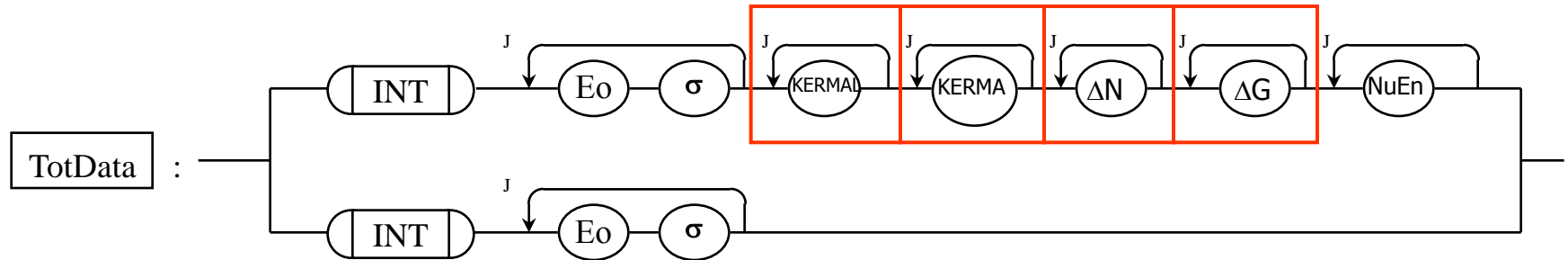
number of $v(E_0)$ particles is tabulated with low of interpolation, as a rule, INT=2;

σv - gamma production is set depending on energy E_0

Time Distribution Data



Integral characteristic



$$KERMAL(E_0) = \sum_{\substack{i=1 \\ i \neq f_{fiss}}}^N \frac{\sigma_i(E_0)}{\sigma_{tot}(E_0)} \left[E_0 + Q_i - \sum_k (v_i^{(k)}(E_0) \cdot \bar{E}_i^{(k)}(E_0)) \right] + \frac{\sigma_{fiss}(E_0)}{\sigma_{tot}(E_0)} (Q_{fiss} + \sum_m v_{fiss,\gamma}^{(m)} \cdot \bar{E}_{fiss,\gamma}^{(m)}(E_0))$$

$$KERMA(E_0) = \sum_{\substack{i=1 \\ i \neq f_{fiss}}}^N \frac{\sigma_i(E_0)}{\sigma_{tot}(E_0)} \left[E_0 + Q_i - \sum_k (v_i^{(k)}(E_0) \cdot \bar{E}_i^{(k)}) - \sum_m (v_{i,\gamma}^{(m)}(E_0) \cdot \bar{E}_{i,\gamma}^{(m)}) \right] +$$

$$+ Q_{fiss} \frac{\sigma_{fiss}(E_0)}{\sigma_{tot}(E_0)} - \sum_m (v_{Non,\gamma}^{(m)}(E_0) \cdot \bar{E}_{Non,\gamma}^{(m)}) \frac{\sigma_{Non}(E_0)}{\sigma_{tot}(E_0)}$$

$$\Delta N(E_0) = \sum_i \sum_k^{UHP} (v_n^i(E_0) - 1) \frac{\sigma_i(E_0)}{\sigma_{tot}(E_0)}$$

$$\Delta G(E_0) = \sum_i \sum_m v_\gamma^i \frac{\sigma_i(E_0)}{\sigma_{tot}(E_0)} + \sum_m v_{Non,\gamma}^{(m)}(E_0) \frac{\sigma_{Non}(E_0)}{\sigma_{tot}(E_0)}$$