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*Evaluation of
Cross-Sections Uncertainties
using Physical Constraints
 ^{238}U , ^{239}Pu and others...*

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CROSS SECTIONS “KNOWLEDGE”

■ **Experimentalist**

Knowledge of cross section ↔ finest microscopic experiments and smartest integral experiments ;
Calibration; Syst. Uncertainties ...

■ **Theoretician**

Knowledge of cross section ↔ knowledge of models parameters and/or nuclear reaction models (resonance parameters, optical models, fission barrier, average width, ...) ; Systematics



Evaluation work is done “*sometimes*” independently between :

- Resolved resonance range / unresolved resonance range / continuum
- International Experts (that is what CIELO is all about right ??)

As a result, one may ended with several inconsistencies :

- **mismatches** and larger uncertainties at the boundaries for punctual cross section
- **no cross correlation between high energy domain and resonance range.**
- Good overall integral behavior with deviations among Evaluations (B. Morillon et al. JEFDO and P. Romain talk) →compensating effects

Uncertainties must reflect the lack of knowledge, inconsistencies as well as advances

Add physical constraints to find the most physical values

CONSTRAINTS

- Physics :
 - Cross section is an observable
 - Isotopic lines (see CEA/DAM Romain talk)
 - General laws : “continuity” of cross sections, parameters

- Experiments
 - Vector of constraints : shapes and uncertainties
 - Different type of experiments
 - Transmission, Capture yields, Fission, Inelastic
 - Integral experiments but in a validation framework
 - Systematic uncertainties
 - Large domain experiments (decades) → several models
 - Integral experiment used during evaluation (Integral Data Assimilation)

- Nuclear Reaction Models
 - Vector of Uncertainties : parameters
 - Different models / different energy domain
 - Unconstrained models
 - Microscopic ingredients
 - Multi-model parameters
 - Model Defects

Traditional

Additional

CONSTRAINTS

- Physics :
 - Cross section is an observable
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- Experiments
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- Nuclear Reaction Models
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 - Unconstrained models
 - **Microscopic ingredients**
 - **Multi-model parameters**
 - **Model Defects**

Traditional

Additional

Ideal world

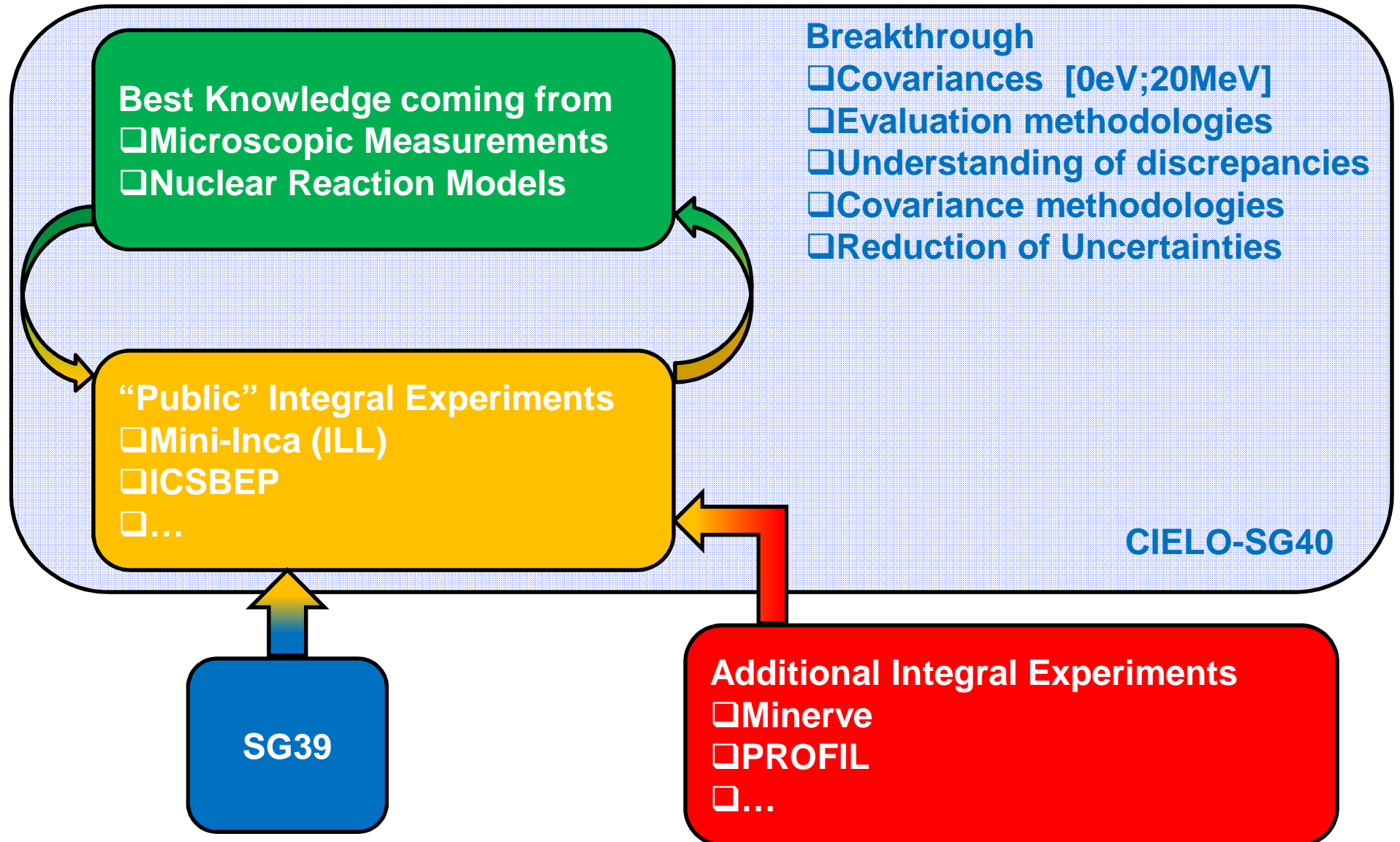
- Utopic view → Everything should be shared for Nuclear Physics advances

Real world

- Resolved and unresolved resonance range :
 - Various past SG (^{238}U , ^{239}Pu , etc, ...) :
 - sharing among participant of resonance **parameters**, microscopic measurements, some integral experiments (“public”) + experimental knowledge
 - Test of advances on **additional** integral experiments (“proprietary”)
 - Covariances evaluation on the shared information could be performed and compared
- Continuum :
 - What about nuclear models?
 - Do we share Physics ? Or Parameters (both ?)
 - Microscopic and “public” integral experiments + experimental knowledge
 - “Confidential experiments”

**For Uncertainty evaluation the shared part is crucial
CIELO should allow a step forward**

CEA/CADARACHE STRATEGY FOR JEFF IN CIELO RELATED TO THE BIG THREE



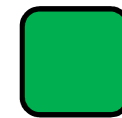
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Covariances Matrices evaluation on ^{238}U and ^{239}Pu Determination of



Matrices

Bayesian inference (probability density):

$$p(\vec{x} | \vec{y}, U) = \frac{p(\vec{x} | U) \cdot p(\vec{y} | \vec{x}, U)}{\int d\vec{x} \cdot p(\vec{x} | U) \cdot p(\vec{y} | \vec{x}, U)}$$

The diagram shows three arrows pointing from the terms in the equation to their respective labels below:

- An arrow from $p(\vec{x} | U)$ points to "Model parameters".
- An arrow from $p(\vec{y} | \vec{x}, U)$ points to "New measurements".
- An arrow from the denominator $\int d\vec{x} \cdot p(\vec{x} | U) \cdot p(\vec{y} | \vec{x}, U)$ points to "a priori information".

Formulation:

$$posterior[p(\vec{x} | \vec{y}, U)] \propto prior[p(\vec{x} | U)] \cdot likelihood[p(\vec{y} | \vec{x}, U)]$$

Estimation of the first two moments of the *a posteriori* distribution

Marginalization philosophy

$$\sigma = f(\vec{x}, \vec{\theta})$$

Model parameters
« nuisance » parameters

Nuisance parameters are **necessary** during comparisons with experiments (data reduction, normalization,...), but not for the final evaluation

$$\sigma = f(\vec{x}, \vec{\theta}) \quad \longrightarrow \quad \sigma = f(\vec{x}) + \text{Covariances}$$

Marginalization of the probability density:

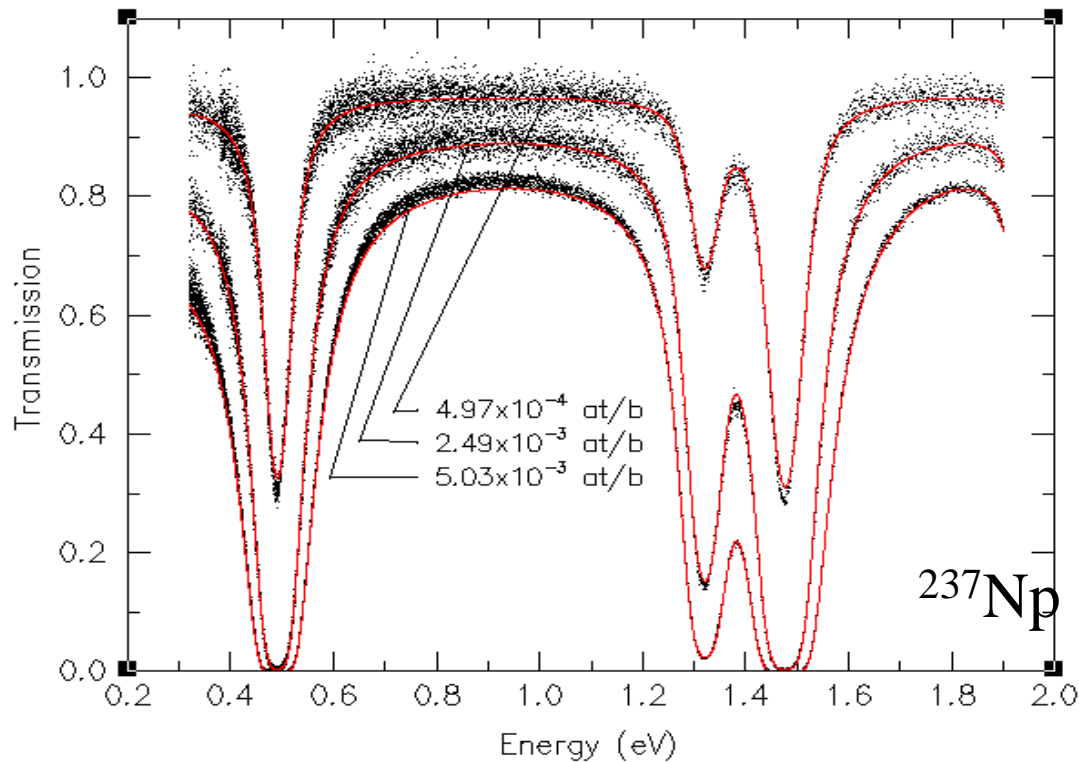
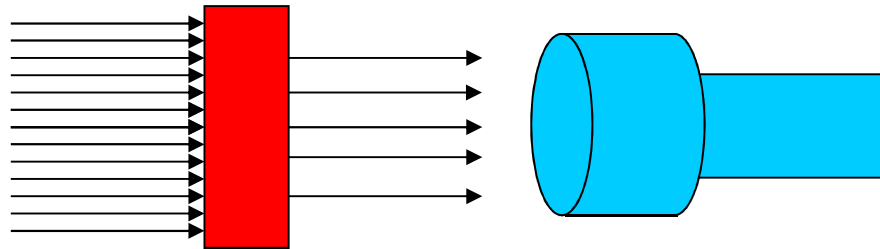
$$p(\vec{x}, \vec{\theta} | \vec{y}, U) \quad \longrightarrow \quad p_{\vec{\theta}}(\vec{x} | \vec{y}, U) = \int d\vec{\theta} \cdot p(\vec{x}, \vec{\theta} | \vec{y}, U)$$

Marginalization :

estimation of the first two moments of the marginal probability density

Transmission Measurement

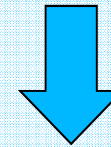
@P. Schillebeeckx



Comparison

$$T_{th} = \vec{t}(\vec{\sigma}(\vec{x}), \vec{\theta}) \quad \text{and} \quad T_{exp} = N \frac{C'_{in} - B'_{in}}{C'_{out} - B'_{out}}$$

$$\approx N_{\theta} e^{-n_{\theta} \sigma_t(\vec{x})} + B_{\theta}$$



Data Assimilation



$$\vec{x} = \{\gamma_{a\lambda}, E_{\lambda}, a_c, R'\}$$

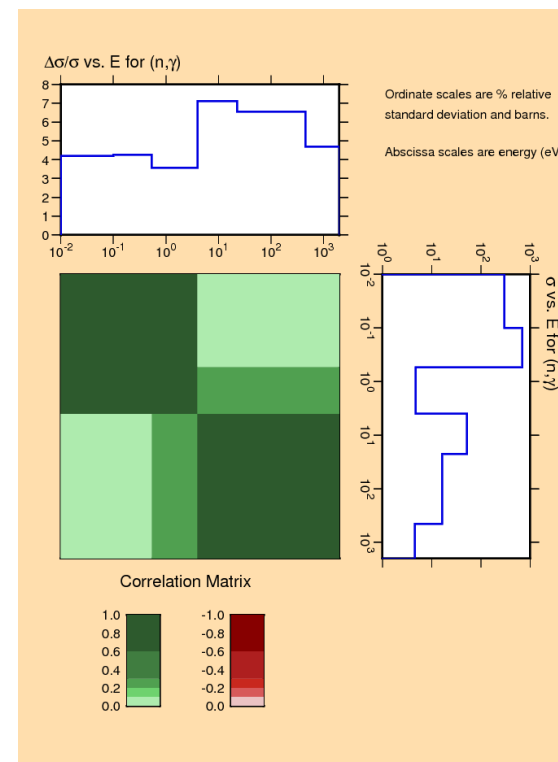
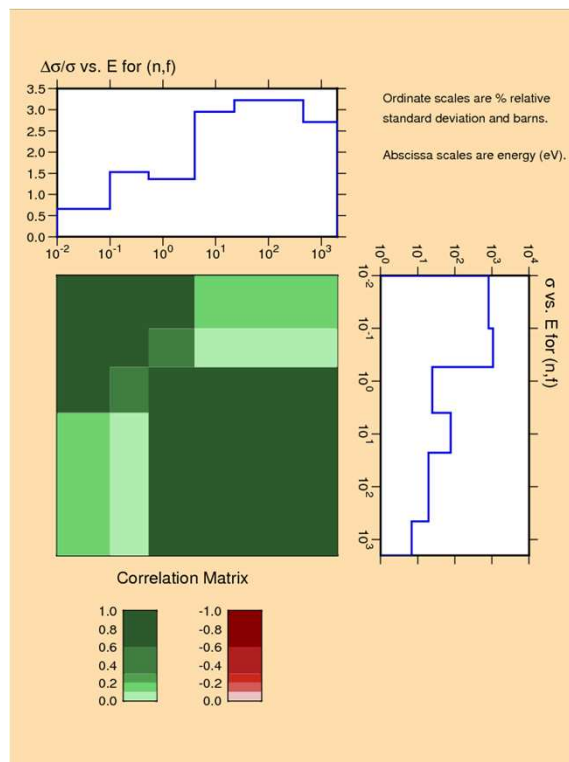
$$\vec{x} = \{\langle \Gamma_a \rangle, a_c, R^{\infty}, D_0, S_a\}$$

$$\vec{x} = \{\beta_2, a_c, d_c, V, W, \dots\}$$



Resolved Resonance Range (SG34 and Jeff3.2)

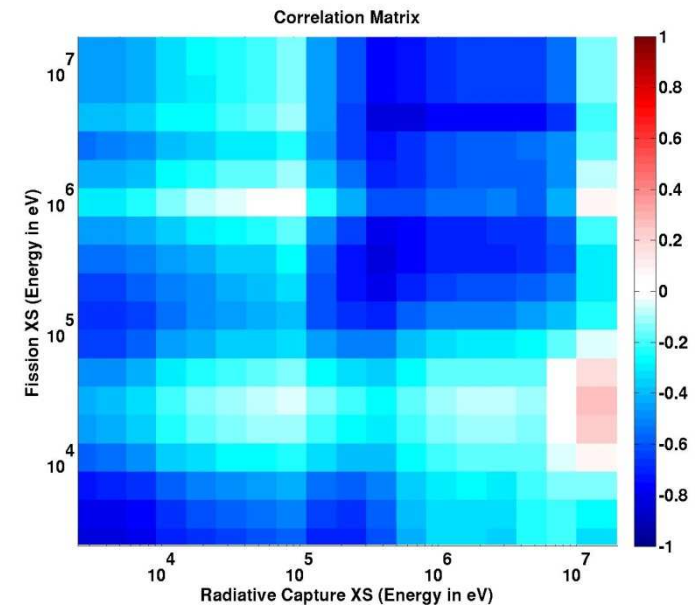
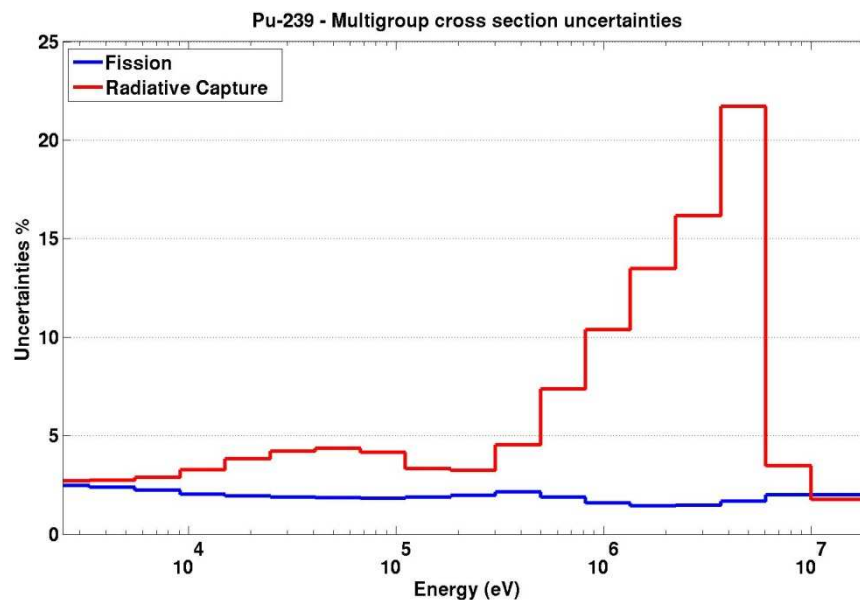
- The RRR was divided in three energy ranges to account for the thermal cross section, the 1st resonance around 0.3 eV and the resonance integral ($E > 0.5$ eV)
- Final uncertainties dominated by normalization accuracy introduced in the Marginalization procedure (0.5-3% for the fission cross section and 4-9% for the capture cross section)
- A neutron width selection based on the truncated Porter-Thomas integral distribution was performed to produce a “manageable” large covariance matrix





Continuum Covariances (COMAC-V0.1)

- Construction of an a-priori based on JEFF-3.2 cross sections
- Systematic uncertainties on fission and capture XS, based on “International Evaluation of Neutron Cross Section Standards” by Carlson *et al.* (CRP Report)

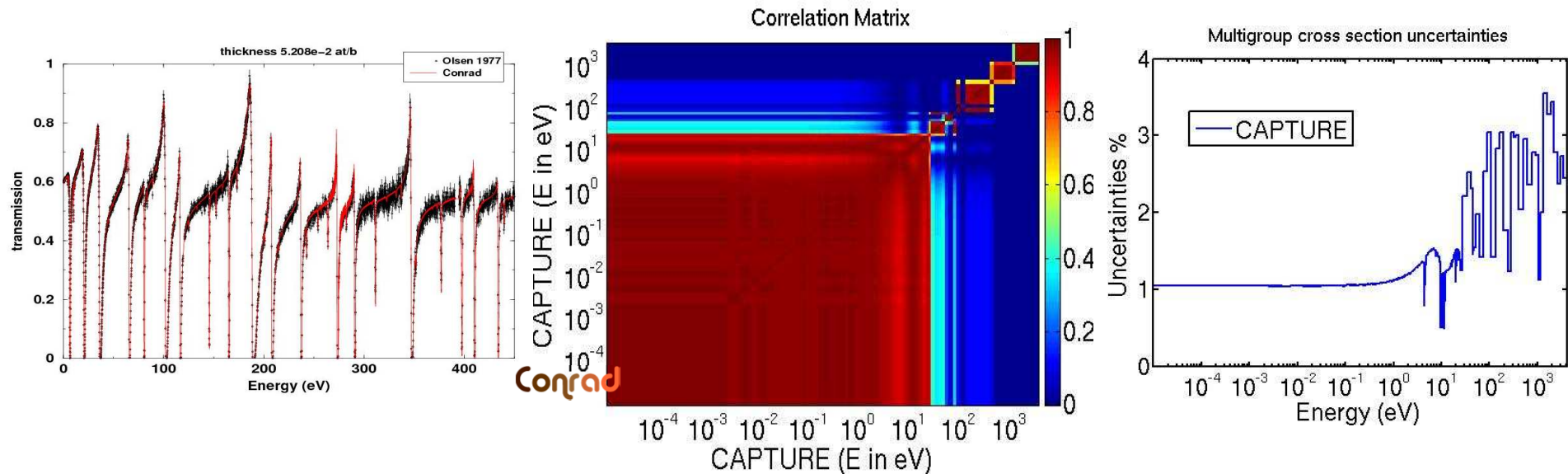


- Improvements / On going work :
 - Use microscopic experiments
 - Add “public” integral nuclear data oriented experiment
 - Add CEA integral nuclear data oriented experiment



Resolved Resonance Range (Jeff3.2 and COMAC-V0.1)

- Proposed to Jeff3.2 (resonance parameters and cross sections)
- Based on Microscopic measurements + Systematic uncertainties taken into account
- Bayesian Framework + Marginalization for systematic exp. Uncertainties



- Improvements / On going work:
 - Add additional microscopic experiments (Ex : Macklin 88 Capture data)
 - Add “public” integral nuclear data oriented experiment
 - Add CEA integral nuclear data oriented experiment

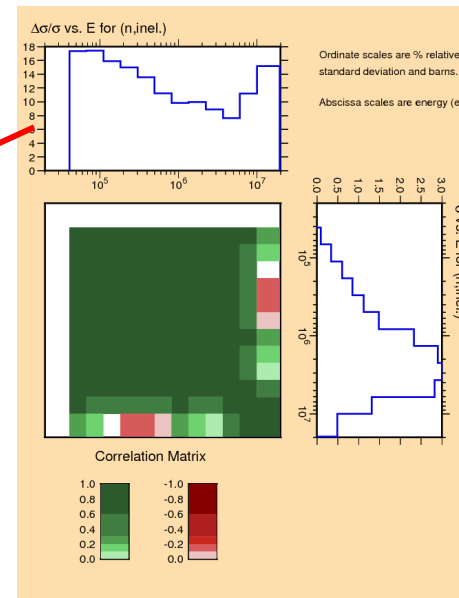


Continuum Covariances (COMAC-V0.1)

- Construction of an a-priori based on Jeff3.1.1
- “Simulated” systematic uncertainties taken into account

Uncertainty Propagation of COMAC-V0 matrices on a SFR

Isotope	FISSION	CAPTURE	ELASTIC	INELASTIC	NXN	NU	TOTAL
B-10	—	11				—	11
C-0	—					—	0
O-16	—	34	29	2		—	45
Na-23	—	8	50	32		—	60
Cr-52	—	6	31	16		—	35
Fe-56	—	97	79	45		—	135
Ni-58	—	19	7	12		—	24
U-235	4	18	1	1		6	19
U-238	367	533	i 75	452	i 42	0	784
Pu-238	35	67	1	3		59	94
Pu-239	992	208	8	24		106	1020
Pu-240	49	77	13	52		65	124
Pu-241	58	91	1	5	1	28	112
Pu-242	21	32	2	7		12	41
Am-241	3	27	0	1		3	27
TOTAL	1062	599	72	460	i 42	142	1312



- Improvements / On going work :
 - Add additional microscopic experiments + “Stick” to Jeff3.2 evaluation
 - Add “public” integral nuclear data oriented experiment
 - Add CEA integral nuclear data oriented experiment

COVARIANCE MATRICES CHALLENGES FOR CIELO

- RRR/URR/OM Full treatment + Influential Model Parameters
- Define “wrapping” benchmark for Covariance estimation in RRR/Continuum and RRR+Continuum
- Importance of cross-correlations between reactions / energy ranges for reactor applications
- Inelastic XS for ^{238}U (new microscopic/integral experiment and new evaluation)
- ^{239}Pu Capture (low and high energy range and capture to fission ratio),
- ^{235}U Capture (intermediate energy range)
- Angular distributions, PFNS, ν -bar, O, Fe, $S_{\alpha\beta}$
- New microscopic/integral experiments even on well-known isotopes (Normalization and background issues, URR, angular distributions,...)
- More microscopic ingredient (less “free” parameters)



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**Additional
Covariances Matrices
evaluation
methodologies
used/to be used
on ^{238}U and ^{239}Pu
Determination of**



Matrices

Marginalization philosophy

$$\sigma = f(\vec{x}, \vec{\theta})$$

Model parameters

« nuisance parameters »

Nuisance parameters are **necessary** during comparisons with experiments (data reduction, normalization,...) but not for the final evaluation

$$\sigma = f(\vec{x}, \vec{\theta})$$

$$\sigma = f(\vec{x}) + \text{Covariances}$$

Marginalization of the nuisance parameters density:

$$p(\vec{x}, \vec{\theta} | \vec{y}, U) \rightarrow p_{\vec{\theta}}(\vec{x} | \vec{y}, U) = \int d\vec{\theta} \cdot p(\vec{x}, \vec{\theta} | \vec{y}, U)$$

Marginalization :

estimation of the first two moments of the marginal probability density

One Model / Several Experiments

IMPOSING CONSTRAINTS ON SEVERAL MODELS SYST. EXP; UNCERTAINTIES; ²³NA EXAMPLE

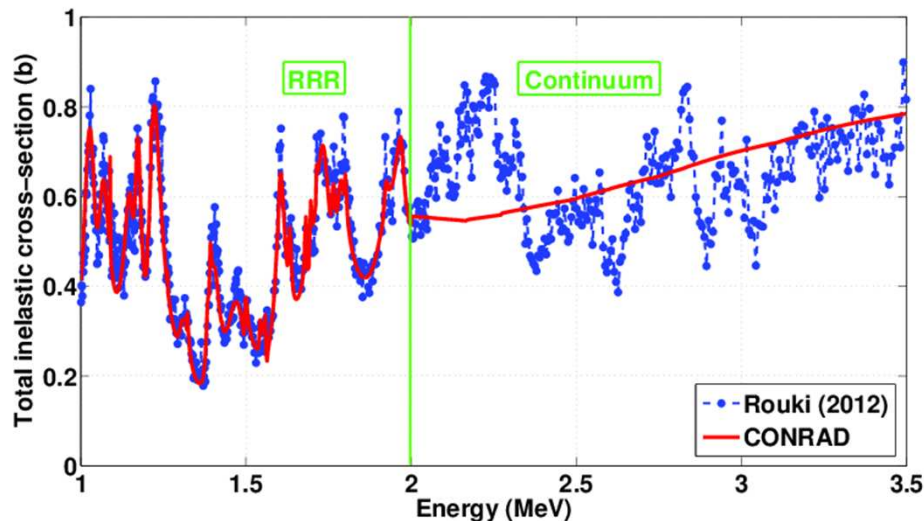
- Unified model on an energy domain

$[E_L, E_R]$ + Boundary at E_C :

$$\vec{t} = \vec{t}_L(x_\mu) \text{ if } E_L \geq E \geq E_c$$

$$\vec{t} = \vec{t}_R(x_\mu) \text{ if } E_R \leq E \leq E_c$$

- “Simulated” experimental Data :
 - Based on theoretical points (red)
 - 3% statistical uncertainties
 - No/0.5/1/3% systematic uncertainties



- Didactic example : Sodium inelastic cross sections

- Energy Range studied [1.9 – 2.1 MeV] ; Boundary at 2 MeV.
- Below 2 MeV : Resolved resonance range (Jeff3.2Beta)
- Above 2 MeV : Jeff3.2Beta (Optical Potential + Partial models)

- Considered parameters :

Resonance Range

Neutron and inelastic Width ($\Gamma_n, \Gamma_{n'}$)

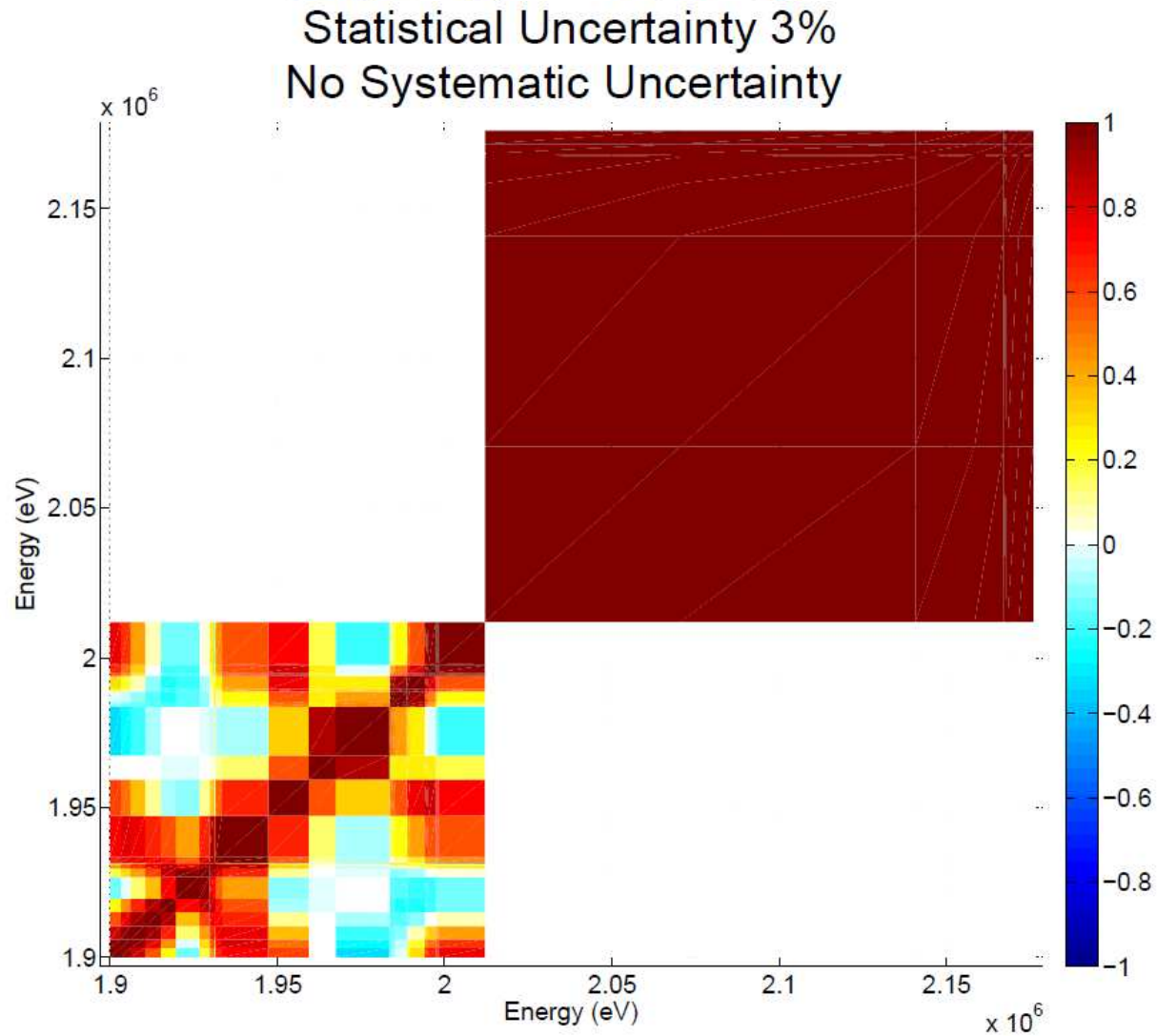
E(MeV)	J π
1.9215	3 ⁻
1.9625	2 ⁺
1.9723	1 ⁺

Optical Model

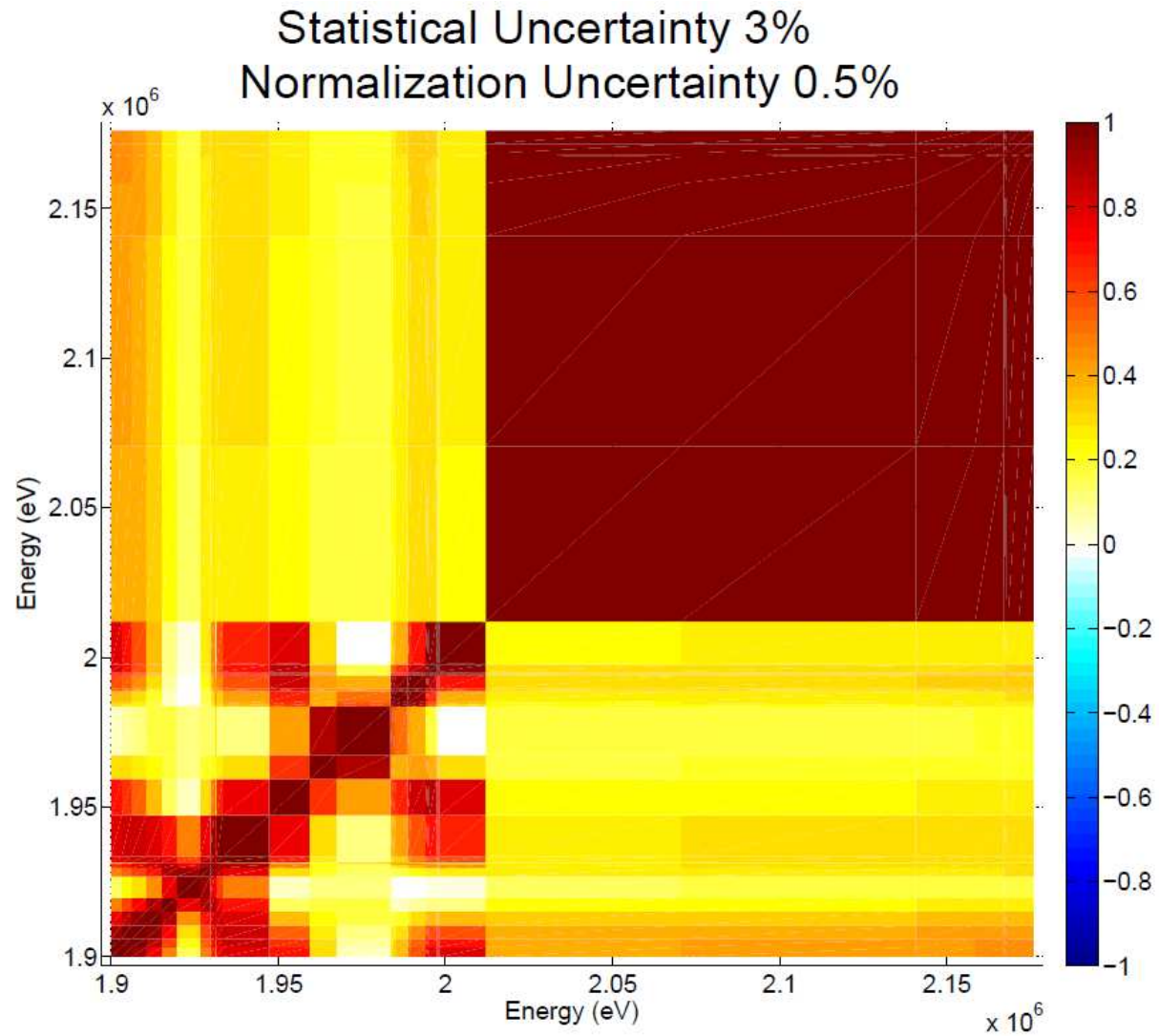
Reduced Scattering Radius (r_0)

Diffusiveness (a_0)

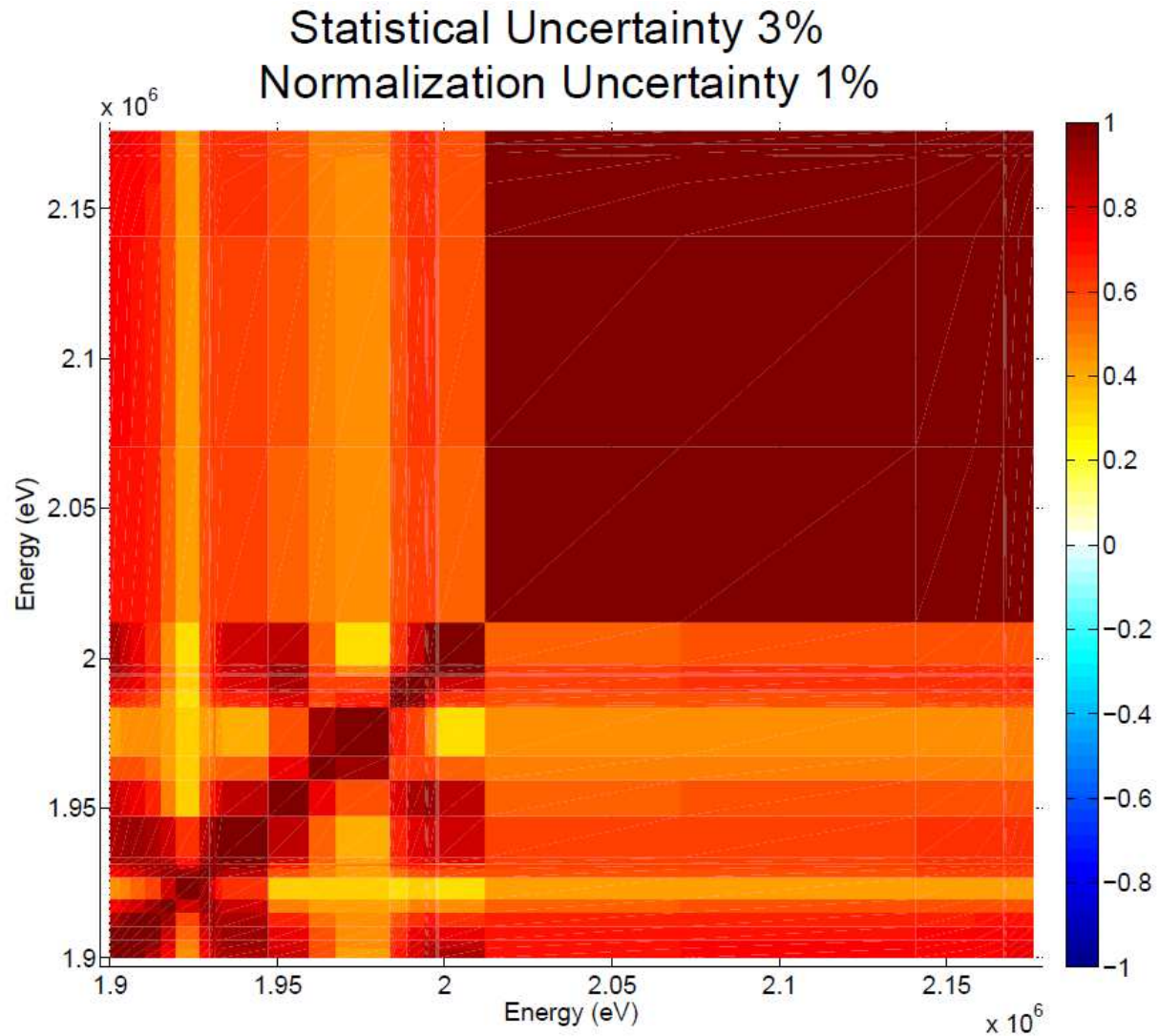
IMPOSING CONSTRAINTS ON SEVERAL MODELS SYST. EXP; UNCERTAINTIES; ^{23}Na EXAMPLE



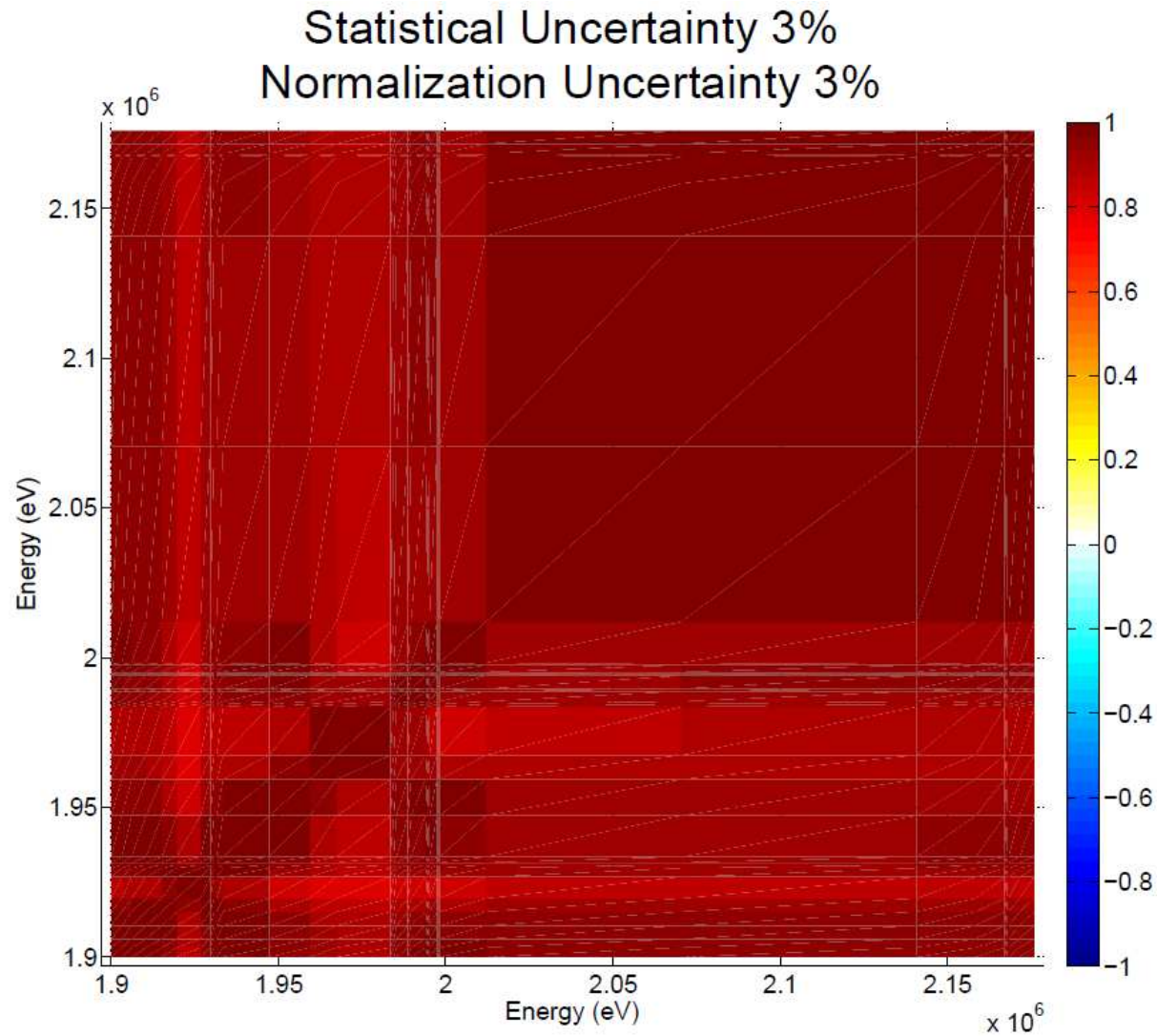
IMPOSING CONSTRAINTS ON SEVERAL MODELS SYST. EXP; UNCERTAINTIES; ^{23}Na EXAMPLE



IMPOSING CONSTRAINTS ON SEVERAL MODELS SYST. EXP; UNCERTAINTIES; ^{23}Na EXAMPLE



IMPOSING CONSTRAINTS ON SEVERAL MODELS SYST. EXP; UNCERTAINTIES; ^{23}Na EXAMPLE



IMPOSING CONSTRAINTS ON SEVERAL MODELS SYST. EXP; UNCERTAINTIES; ²³NA EXAMPLE

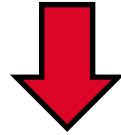
- Correlations obtained on parameters as well (3% normalization case)

	Γ_n^{3-}	$\Gamma_{n/1}^{3-}$	Γ_n^{2+}	$\Gamma_{n/1}^{2+}$	Γ_n^{1+}	$\Gamma_{n/1}^{1+}$	R_0
Γ_n^{3-}	1	0.83	-0.39	0.74	-0.11	0.41	0.83
$\Gamma_{n/1}^{3-}$		1	-0.37	0.89	0.03	0.56	0.98
Γ_n^{2+}			1	-0.36	-0.05	-0.32	-0.38
$\Gamma_{n/1}^{2+}$				1	-0.09	0.42	0.90
Γ_n^{1+}					1	-0.37	0.03
$\Gamma_{n/1}^{1+}$						1	0.58
R_0							1

- Parameters driving the cross section "level" end up correlated
- Correlation created between two different models : Γ_n , $\Gamma_{n'}$ and r_0

IMPOSING CONSTRAINTS ON SEVERAL MODELS LAGRANGE MULTIPLIERS

$$\chi_{GSL}^2 = (\vec{x} - \vec{x}_m)^T M_x^{-1} (\vec{x} - \vec{x}_m) + (\vec{y} - \vec{t}(\vec{x}))^T M_y^{-1} (\vec{y} - \vec{t}(\vec{x}))$$

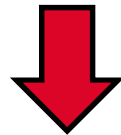


$$\chi_{GLS+C}^2 = (\vec{x} - \vec{x}_m)^T M_x^{-1} (\vec{x} - \vec{x}_m) + (\vec{y} - \vec{t})^T M_y^{-1} (\vec{y} - \vec{t})$$

Constraints

$$+ 2(C^T(\vec{x})) \cdot \lambda$$

Lagrange Multipliers



Linearization

$$\begin{pmatrix} A(\tilde{x}) & S_c^T(\tilde{x}) \\ S_c(\tilde{x}) & 0 \end{pmatrix} \begin{pmatrix} x \\ \lambda \end{pmatrix} = \begin{pmatrix} A(\tilde{x})\tilde{x} - S_t^T(\tilde{x})M_y^{-1}(y(\tilde{x}) - t) \\ S_c(\tilde{x})\tilde{x} - C(\tilde{x}) \end{pmatrix}$$

IMPOSING CONSTRAINTS ON SEVERAL MODELS LAGRANGE MULTIPLIERS ; ^{238}U EXAMPLE

- Unified model on an energy domain

$[E_L, E_R]$ + Boundary at E_C :

$$\vec{t} = \vec{t}_L(x_\mu) \text{ if } E_L \geq E \geq E_C$$

$$\vec{t} = \vec{t}_R(x_\mu) \text{ if } E_R \leq E \leq E_C$$

Constraint on Cross sections at E_C

$$C(x) = \langle \sigma_t^R \rangle_{E_C} - \langle \sigma_t^L \rangle_{E_C} = 0$$

- “Real” experimental Data :
 - Based on C.A.Uttley *et al.*, 1966
 - 1% statistical uncertainties
 - No systematic uncertainties

- Didactic example : Uranium Total cross section

- Energy Range studied [25 – 750 keV] ; Boundary at 150 keV.
- Below 150 keV : Average R matrix
- Above 150 keV : Average R matrix or Optical Potential

- Considered parameters :

- Unresolved Resonance Range

Effective Radius, Strength, Distant level

$$R', S_{l=0,1}, R^\infty_{l=0,1}$$

- Optical Model

Reduced Scattering Radius (r_0)

Diffusiveness (a_0)

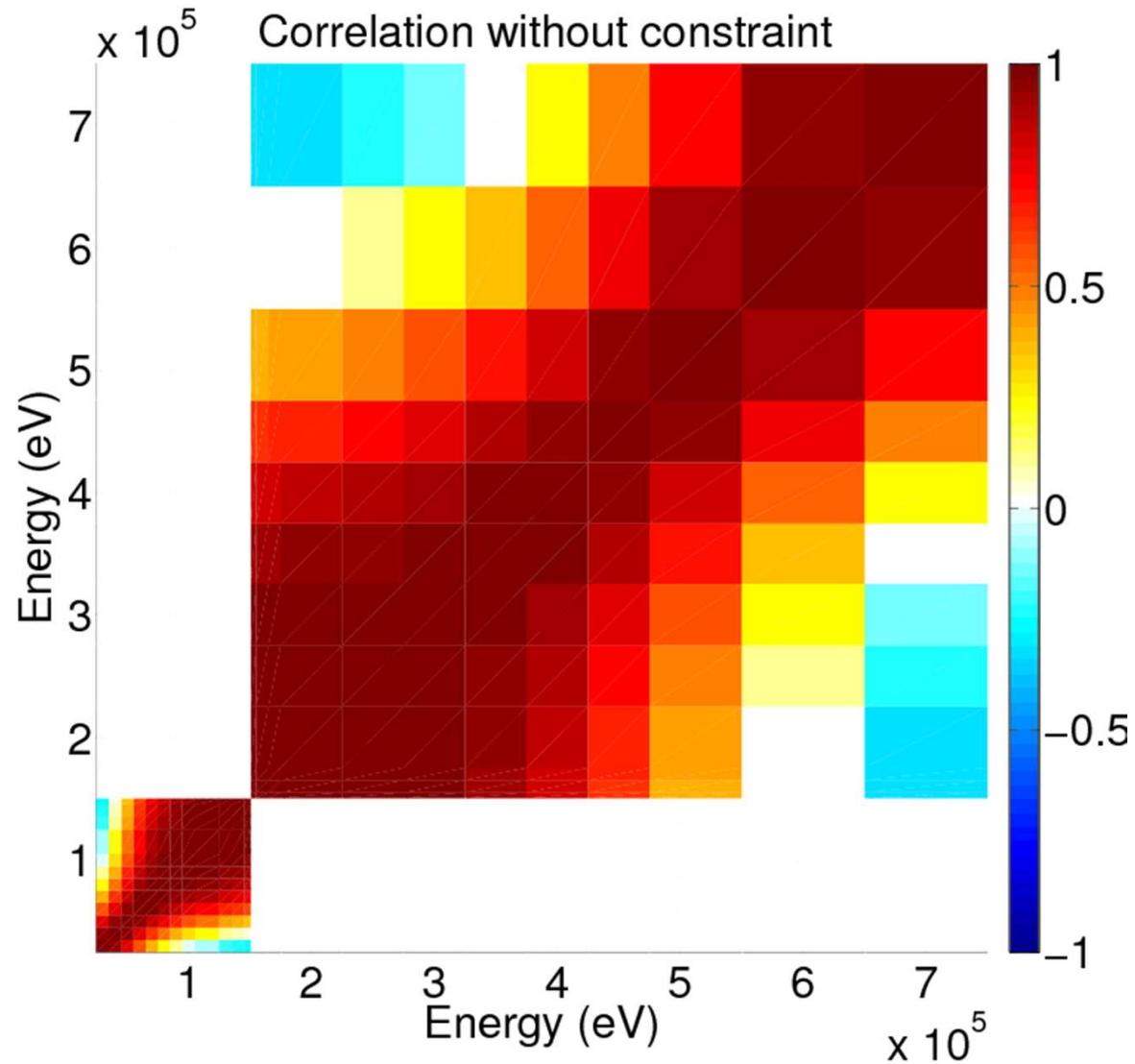


Two cases studied :

1. URR/URR : Toy model → act as if they were 2 ≠ models
2. URR/Continuum : “Realistic application”

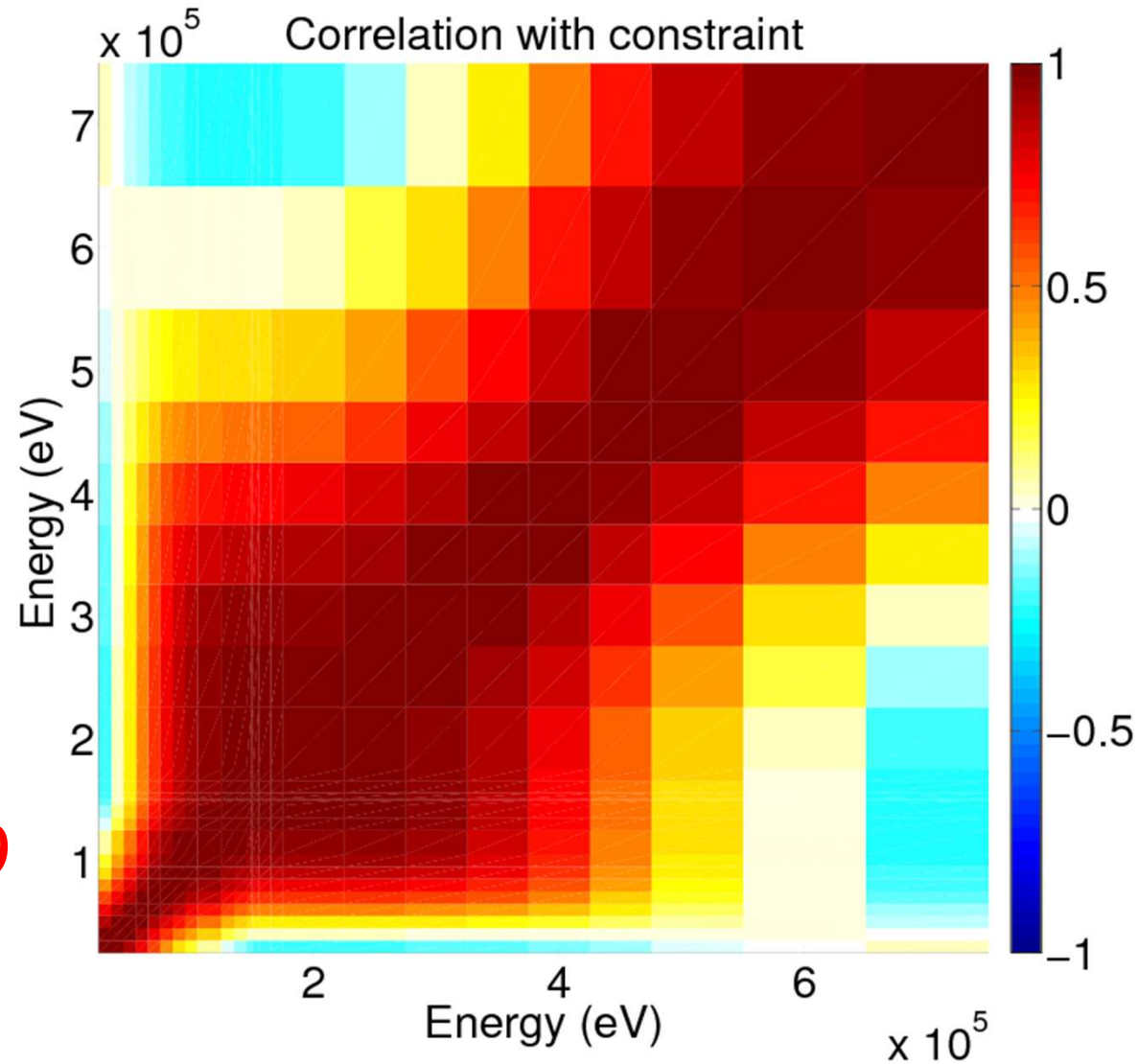
IMPOSING CONSTRAINTS ON SEVERAL MODELS LAGRANGE MULTIPLIERS ; ^{238}U EXAMPLE

■ Toy Model URR/URR



IMPOSING CONSTRAINTS ON SEVERAL MODELS LAGRANGE MULTIPLIERS ; ^{238}U EXAMPLE

■ Toy Model URR/URR



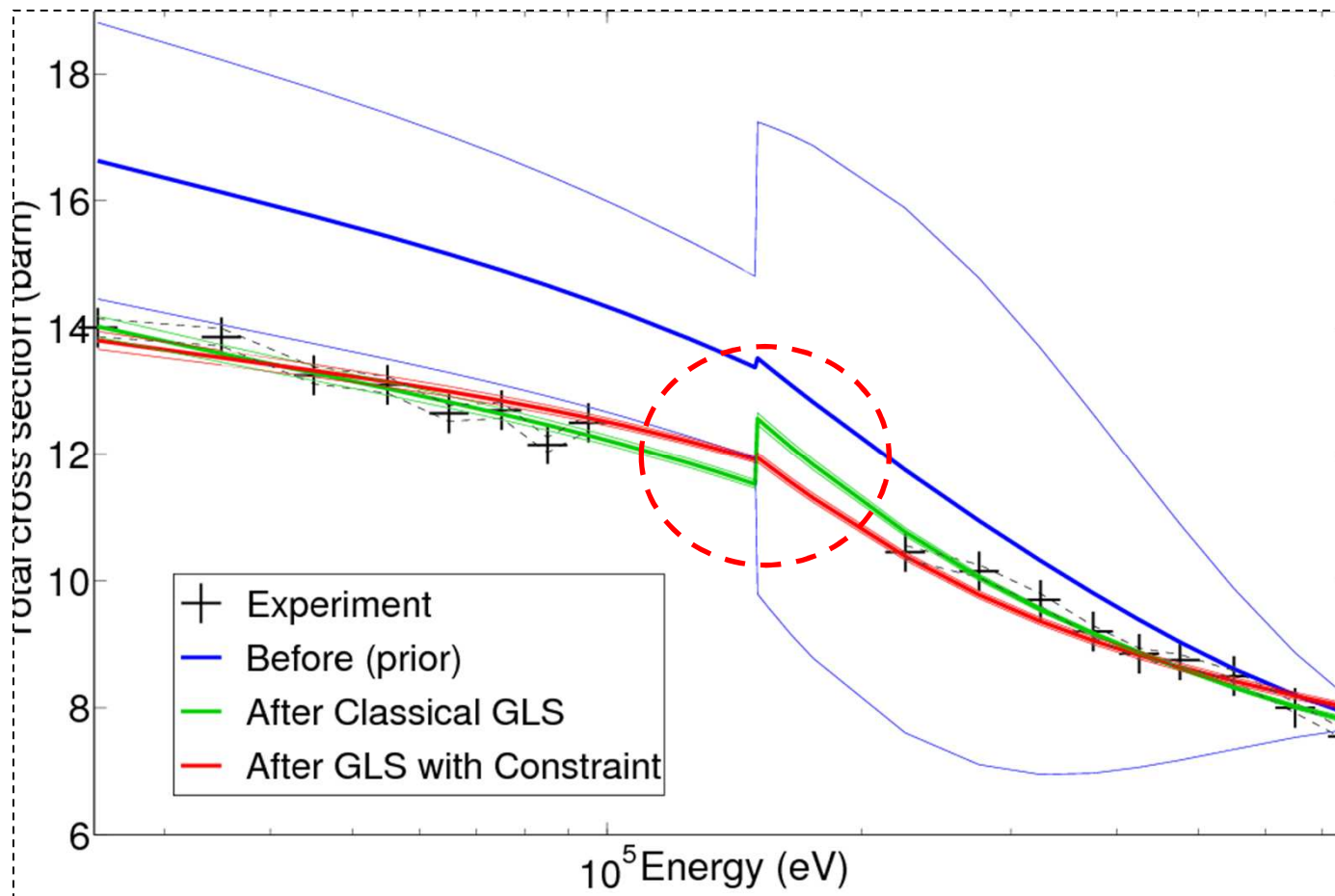
$$\rho \leq \pm 0.9$$

IMPOSING CONSTRAINTS ON SEVERAL MODELS LAGRANGE MULTIPLIERS ; ^{238}U EXAMPLE

■ Realistic Application URR/OM

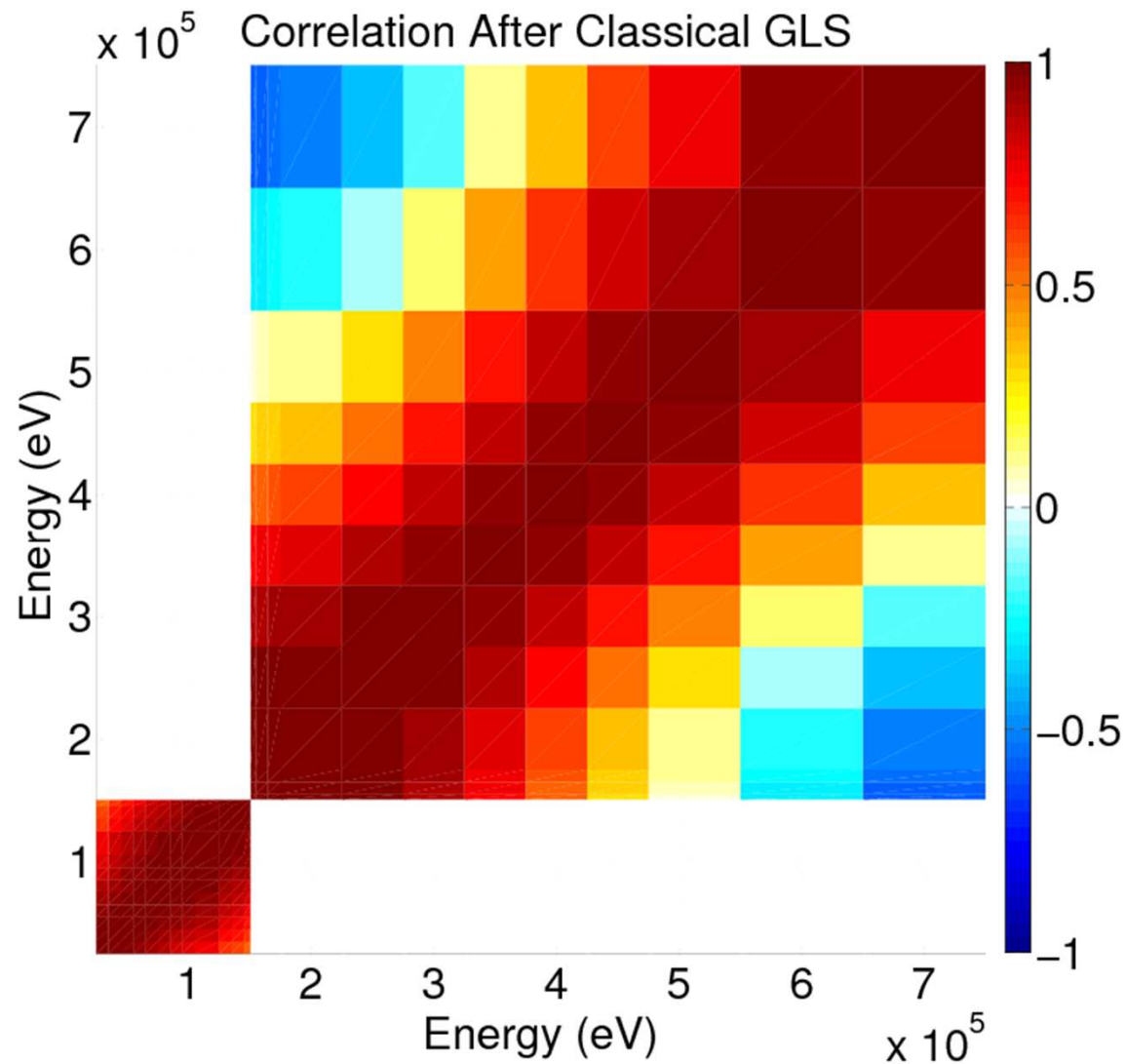
■ Parameters used :

- Strength function ($l=0,1$) ; Distant level ($l=0,1$) ; Effective Radius
- Reduce radius ; Diffusiveness



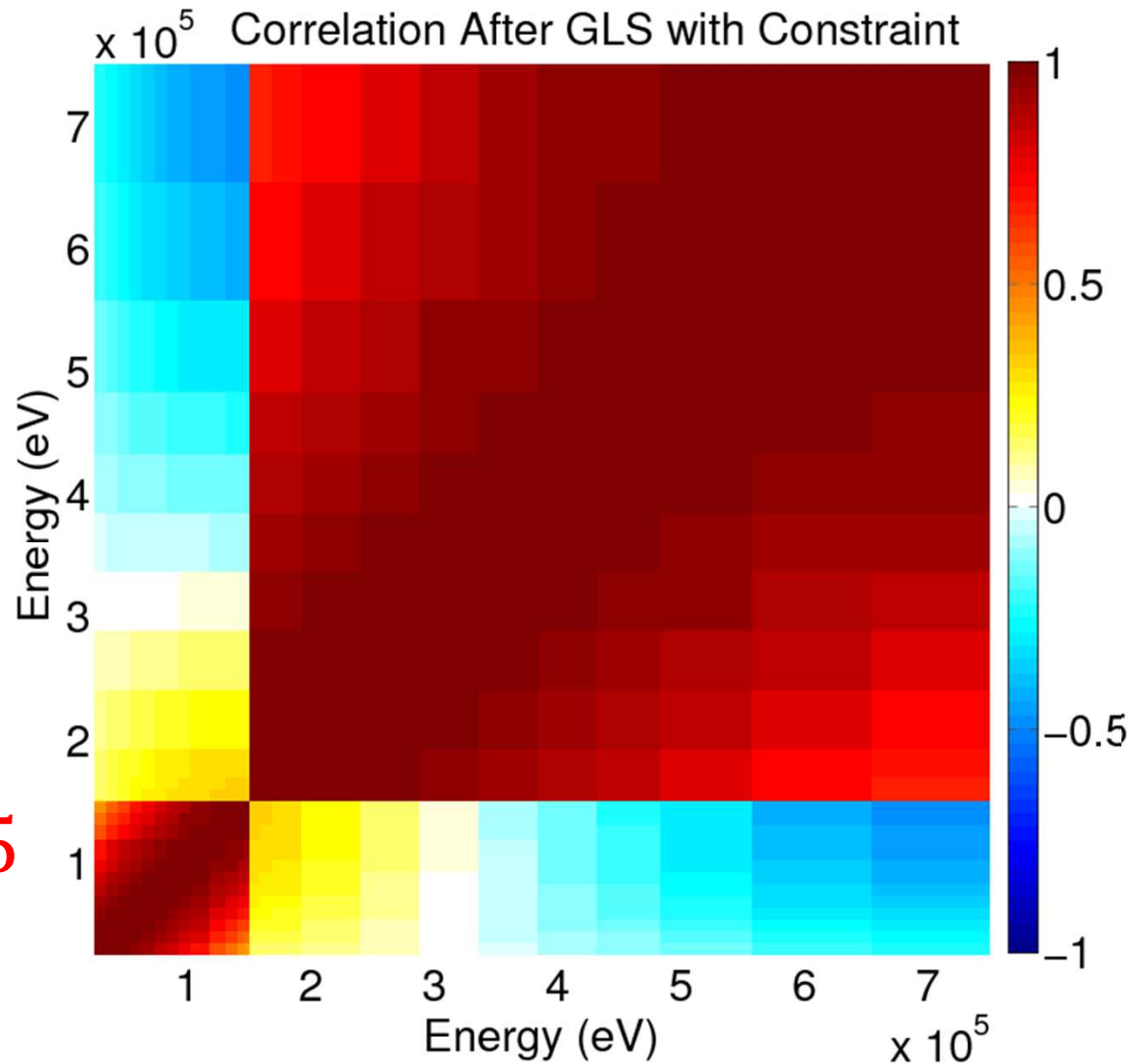
IMPOSING CONSTRAINTS ON SEVERAL MODELS LAGRANGE MULTIPLIERS ; ^{238}U EXAMPLE

■ Realistic Model URR/OM



IMPOSING CONSTRAINTS ON SEVERAL MODELS LAGRANGE MULTIPLIERS ; ^{238}U EXAMPLE

■ Realistic Model URR/OM



$$\rho \leq \pm 0.5$$

IMPOSING CONSTRAINTS ON SEVERAL MODELS

- Promising methods (Lagrange multipliers + Syst. Uncertainties on several models)

Correlations between energy ranges appear in cross section covariances : no more block diagonal matrices → could enhanced final uncertainties on applications ...

- Syst. Uncertainty
 - Tends to ensure cross section continuity...if no gap in experiment in energies
 - 1st attempt with normalization → Generalize to other experimental parameters creating systematic uncertainties (background, resolution parameters., isotopic concentration)
- Lagrange multipliers → 1st constraint chosen is continuity between two models calculated cross sections ; Other ideas are underway on nuclear model parameters, average cross sections, ...
- Both method are not straightforward → choice of parameters to be included very important
- Difficulty arises if :
 - Parameters are not well chosen
 - Boundary is not well chosen : too high or too low making one model outside its scope
 - There are Model defects
- Use of this approach in a “true” evaluation : 1st true evaluation made on ²³Na (Jeff3.2)



Major Isotopes : Big 3 + Additional

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Covariances Matrices evaluation methodologies using integral experiments on ^{238}U and ^{239}Pu Determination of



Matrices

CONSTRAINTS : INTEGRAL EXPERIMENTS

Data Assimilation framework for evaluation using integral experiments

$$\chi_{GSL}^2 = (\vec{x} - \vec{x}_m)^T M_x^{-1} (\vec{x} - \vec{x}_m) + (\vec{E} - \vec{C}(\sigma(\vec{x})))^T M_E^{-1} (\vec{E} - \vec{C}(\sigma(\vec{x})))$$

$$\vec{y} \rightarrow \vec{E}$$

→ Intégrales Exp.

$$\vec{x} \rightarrow$$

$$\vec{x} = \{\gamma_{a\lambda}, E_\lambda, a_c, R'\}$$

$$\vec{x} = \{\langle \Gamma_a \rangle, a_c, R^\infty, D_0, S_a\}$$

$$\vec{x} = \{\beta_2, a_c, d_c, V, W, \dots\}$$

$$\vec{G} = \frac{\partial \vec{C}}{\partial \vec{x}} = \frac{\partial \vec{C}}{\partial \vec{\sigma}} \otimes \frac{\partial \vec{\sigma}}{\partial \vec{x}}$$

Conrad

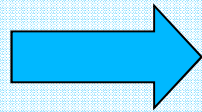
Sammy,
Refit,
TALYS,

AP2/CRONOS2, ERANOS/PARIS, APOLLO3
MCNP, Tripoli-4

ND Treatment

INTEGRAL EXPERIMENTS

Validation and/or
DataAssimilation



$$\vec{x} = \{ \gamma_{a\lambda}, E_{\lambda}, a_c, R', OMP, \dots \}$$

+BIASES

and/or

$$\sigma_g^r \text{ and } \chi_g, \nu \dots$$

+ TRENDS

“Public” Integral Experiments

- Mini-Inca (ILL)
- ICSBEP/IRPHe
- ...

Used as validation for evaluation → C/E ~1

Using benchmark in relative (see ND2013) to focus on some reaction ($^{238}\text{U} (n,n')$)

Take care of experimental correlation between ICSBEP series

Additional Integral Experiments

- Irradiation Exp.
PROFIL/MANTRA
- Oscillation Exp.
MINERVE/DIMPLE
- ...

High Precision (Oscillation : 1-3% ; PROFIL : ~2%)

Flexibility in terms of neutronic spectrum

→ Deconvolution of energy domain

SG39

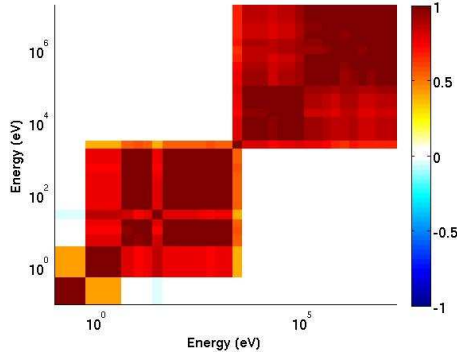


SG40

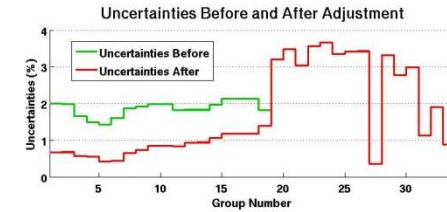
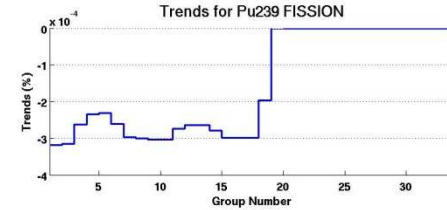
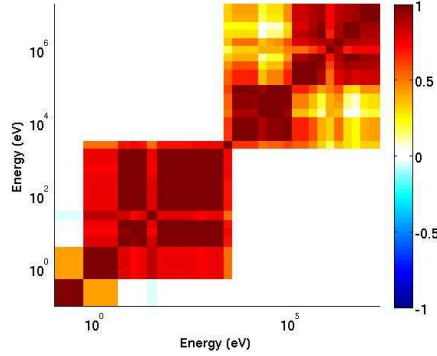


²³⁹Pu COVARIANCE MATRICES

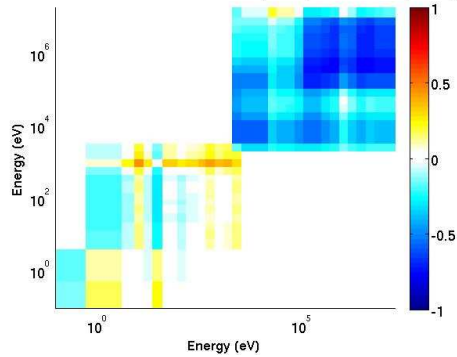
Correlation Before between FISSION(Pu239) and FISSION(Pu239)



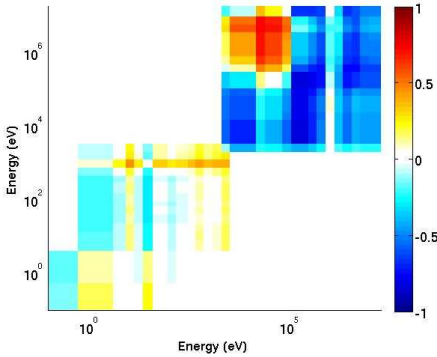
Correlation After between FISSION(Pu239) and FISSION(Pu239)



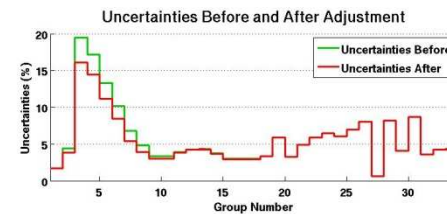
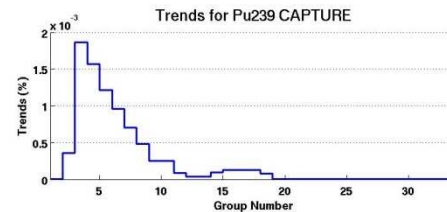
Correlation Before between CAPTURE(Pu239) and FISSION(Pu239)



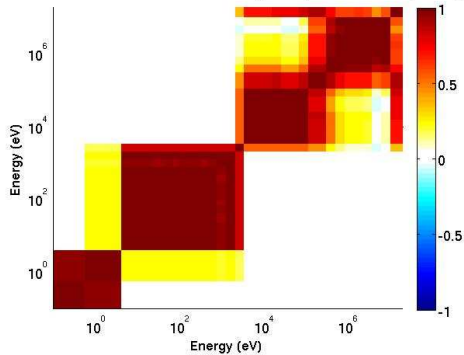
Correlation After between CAPTURE(Pu239) and FISSION(Pu239)



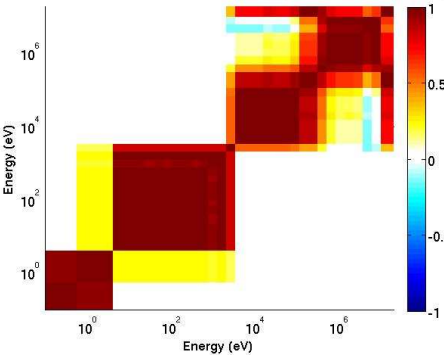
“Public” Integral Experiments
□ ICSBEP (JEZEBEL)



Correlation Before between CAPTURE(Pu239) and CAPTURE(Pu239)



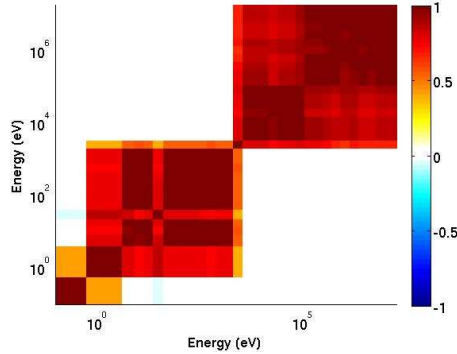
Correlation After between CAPTURE(Pu239) and CAPTURE(Pu239)



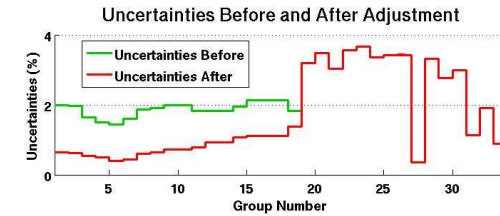
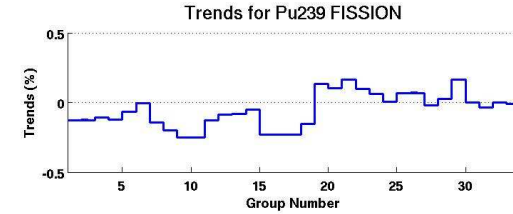
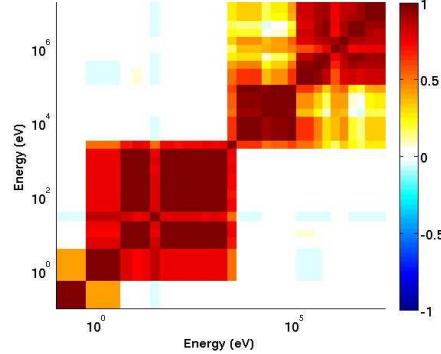


²³⁹Pu COVARIANCE MATRICES

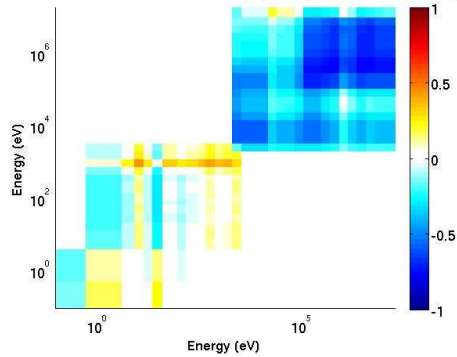
Correlation Before between FISSION(Pu239) and FISSION(Pu239)



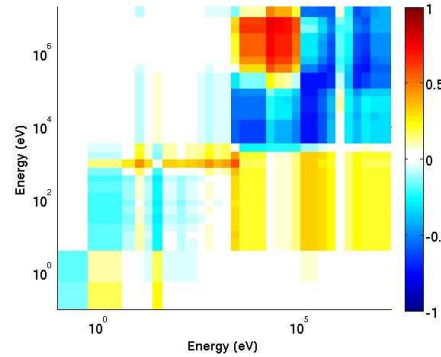
Correlation After between FISSION(Pu239) and FISSION(Pu239)



Correlation Before between CAPTURE(Pu239) and FISSION(Pu239)

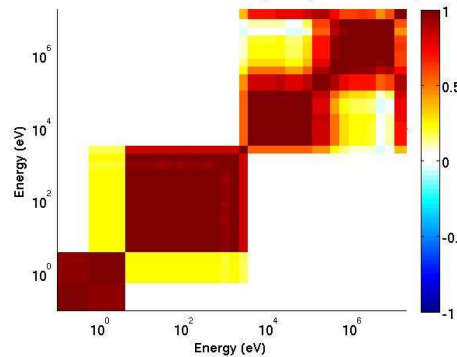


Correlation After between CAPTURE(Pu239) and FISSION(Pu239)

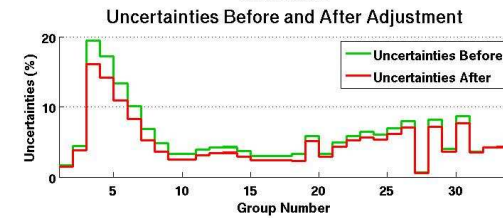
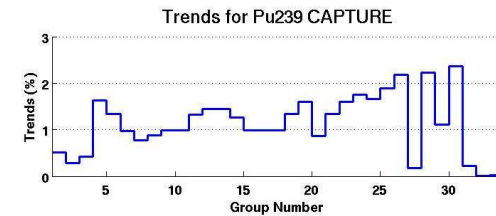
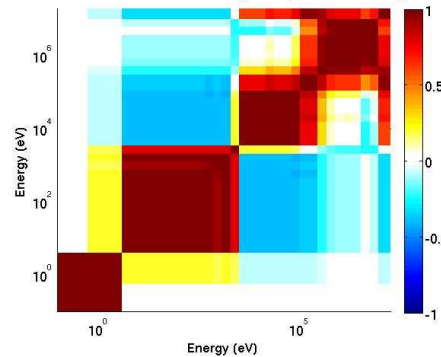


Additional Integral Experiments
 PROFIL

Correlation Before between CAPTURE(Pu239) and CAPTURE(Pu239)



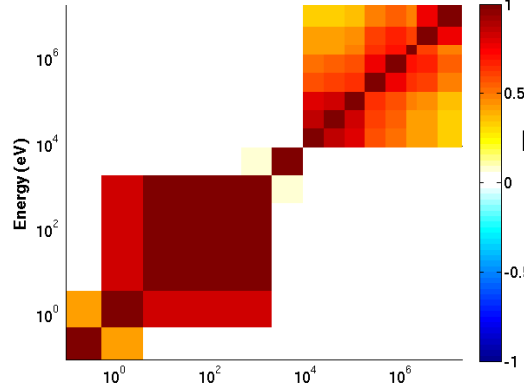
Correlation After between CAPTURE(Pu239) and CAPTURE(Pu239)



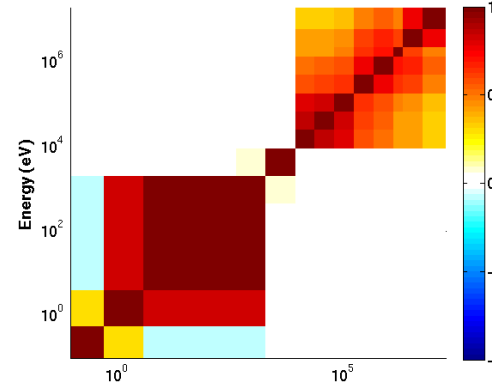


²³⁹Pu COVARIANCE MATRICES

Correlation Before between FISSION(Pu239) and FISSION(Pu239)

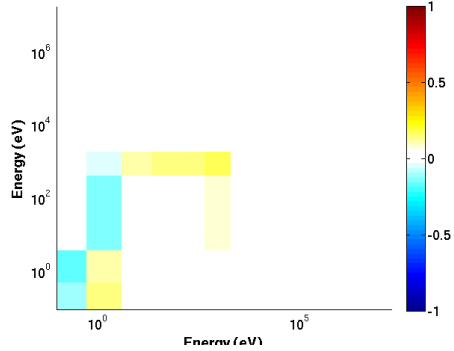


Correlation After between FISSION(Pu239) and FISSION(Pu239)

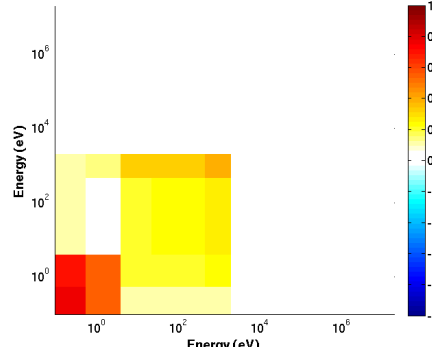


Additional Integral Experiments
 CERES Program in MINERVE/DIMPLE

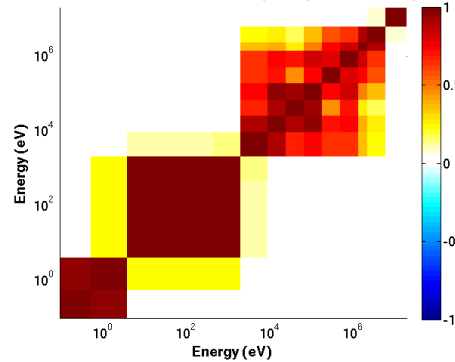
Correlation Before between CAPTURE(Pu239) and FISSION(Pu239)



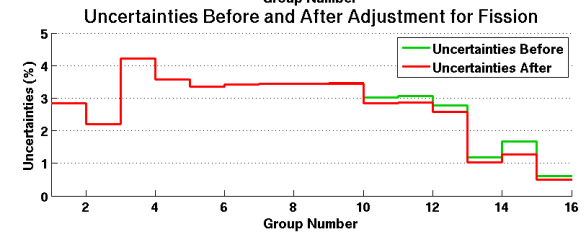
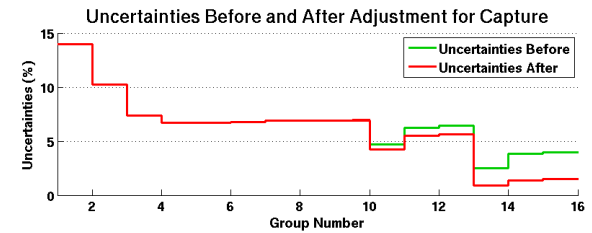
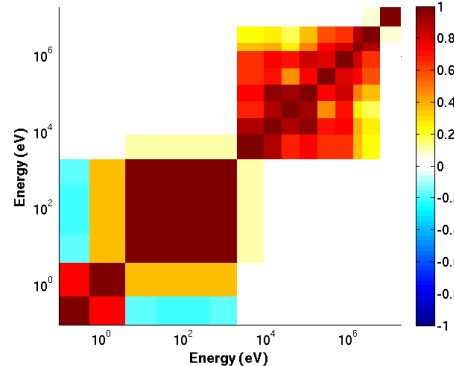
Correlation After between CAPTURE(Pu239) and FISSION(Pu239)



Correlation Before between CAPTURE(Pu239) and CAPTURE(Pu239)



Correlation After between CAPTURE(Pu239) and CAPTURE(Pu239)



IMPOSING CONSTRAINTS ON SEVERAL MODELS INTEGRAL EXPERIMENTS

- Reduction of Uncertainties with dedicated integral experiments is major (Factor 5-10)
- Work presented here on multigroup Cross sections → nuclear parameters are also be in the game (especially for thermal benchmarks ; see NEMEA-5, C. De Saint Jean et al.) + on going work on PROFIL) ;
- Choice of integral experiments is crucial to disentangle nuclear data sensitivities
 - Use integral experiments sensitive to different reactions or parameters
 - Relative integral experiments (reflector effect instead of reactivity, see D. Bernard et al. , ND2013)
- Difficulty arises if :
 - Parameters are not well chosen or forgotten (PFNS, angular distributions ...etc...)
 - Spurious Integral experiment (as for microscopic ones) with hidden error
 - Correlation between experiments are neglected (ICSBEP series ...)
- Traditional questions arises → “old” experiments, effect is diluted on several ND,.. etc



**Sometimes true but
CIELO and SG39 could give answers**

- ❑ Several kind of Nuclear Data
 - ❑ Several kind of Nuclear Reaction Models
 - ❑ Several kind of Experiments
 - ❑ Several kind of Covariance Matrices
 - ❑ Several kind of International experts (☺)
-
- ❑ CIELO could allow progress on methodologies related to :
 - *Data assimilation for traditional evaluation*
 - *Data assimilation for evaluation using specific integral experiments (IDA)*
 - **Data assimilation for evaluation with physical constraints**
 - **Systematic uncertainty constraints effect on several models**
 - **Lagrange multipliers in the cost function**
 - **.....**
 - **....**

- ❑ To understand discrepancies → BENCHMARKS with sensitivity calculations
- ❑ To understand covariances methodologies → List a limited set of ingredients (exp., syst. Unce.,...) and do benchmarking (same inputs → compare results)
- ❑ To obtain first whole energy range covariances → list a less limited set of experiments (micro + integral) + model parameters + “new” methods + Codes?
- ❑ For CEA/Cadarache, files are not the finality ; methods and understanding of discrepancies on evaluation and related covariances is the major interest
- ❑ Work on evaluation and covariances for Big 3 and Fe, O,