

FROM RESEARCH TO INDUSTRY



THE SPY MODEL: HOW A MICROSCOPIC DESCRIPTION OF THE NUCLEUS CAN SHED SOME LIGHT ON FISSION

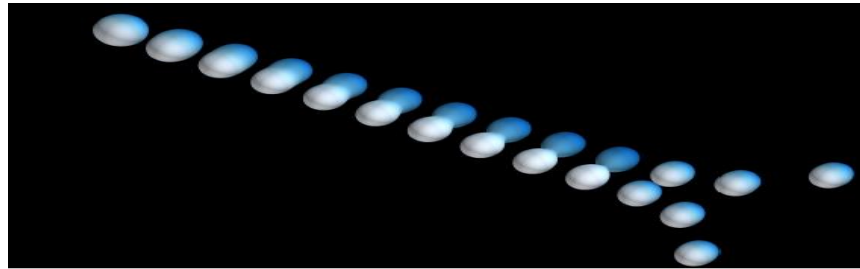
S. Panebianco, N. Dubray, S. Hilaire, J-F. Lemaître, J-L. Sida

CEA - Irfu/SPhN, Saclay, France
CEA – DIF, Arpajon, France

P(ND)²

October 15th 2014
Bruyères-le-Châtel, France

Why a scission-point model?



N-body problem

Non-adiabatic dynamics

Nuclear structure

Shell effects

Deformations

Intrinsic vs collective DoF

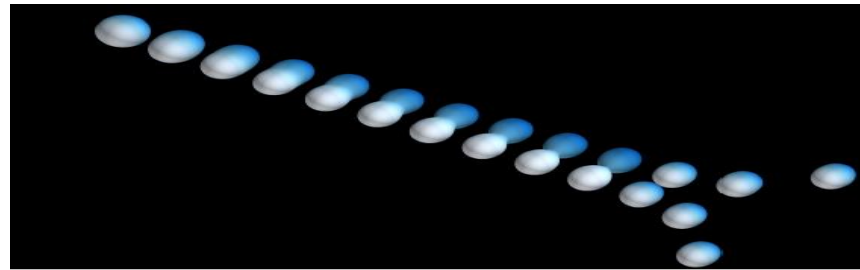
Viscosity and friction

High spin exotic nuclei

Event-odd effects

Fission is the ideal nuclear physics laboratory and is still a challenge for theory and experiments

Why a scission-point model?



N-body problem

Non-adiabatic dynamics

Nuclear structure

Shell effects

Intrinsic vs collective DoF

Deformations

Viscosity and friction

High spin exotic nuclei

Event-odd effects

Fission is the ideal nuclear physics laboratory and is still a challenge for theory and experiments

Two main approaches are used to model the fission process:

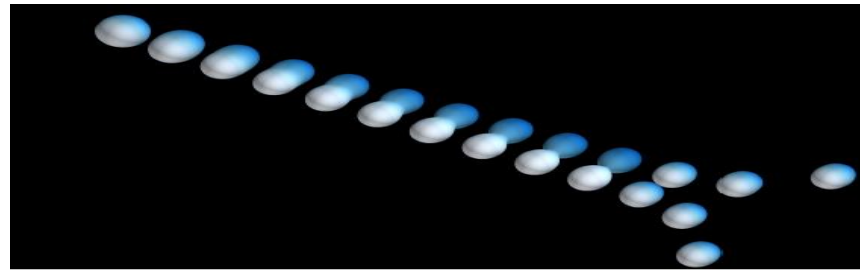
Models based on phenomenology

- Based on experimental data
- Describe well known properties
- Low predictive power far from data
- Low computing cost

Models based on microscopy

- Only few parameters (N-N interaction)
- Less precise agreement with data
- High predictive power far from known regions
- High computing cost

Why a scission-point model?



N-body problem

Non-adiabatic dynamics

Nuclear structure

Shell effects

Intrinsic vs collective DoF

Deformations

Viscosity and friction

High spin exotic nuclei

Event-odd effects

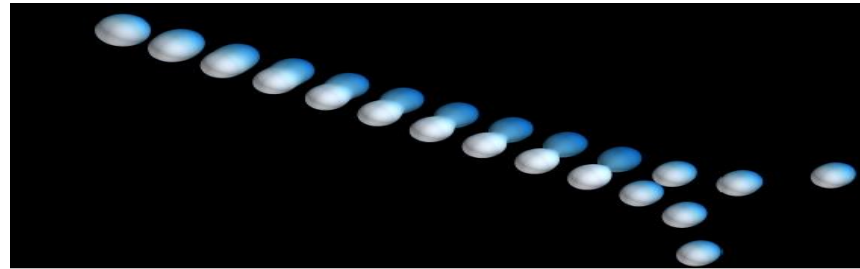
Fission is the ideal nuclear physics laboratory and is still a challenge for theory and experiments

Scission-point model

B. D. Wilkins et al., Phys. Rev. C 14 (1976) 1832

- Strong hypothesis are needed:
 - Static
 - CN formation neglected
 - All fragment properties are freezed
- Energy balance at scission : LDM+shell corections (Strutinski)+pairing corrections
- **Parameters needed** (intrinsic and collective temperature)
- Very **low computing** cost

Why a new scission-point model?



N-body problem

Non-adiabatic dynamics

Nuclear structure

Shell effects

Intrinsic vs collective DoF

Deformations

Viscosity and friction

High spin exotic nuclei

Event-odd effects

Fission is the ideal nuclear physics laboratory and is still a challenge for theory and experiments

SPY : a new scission-point model based on microscopic ingredients

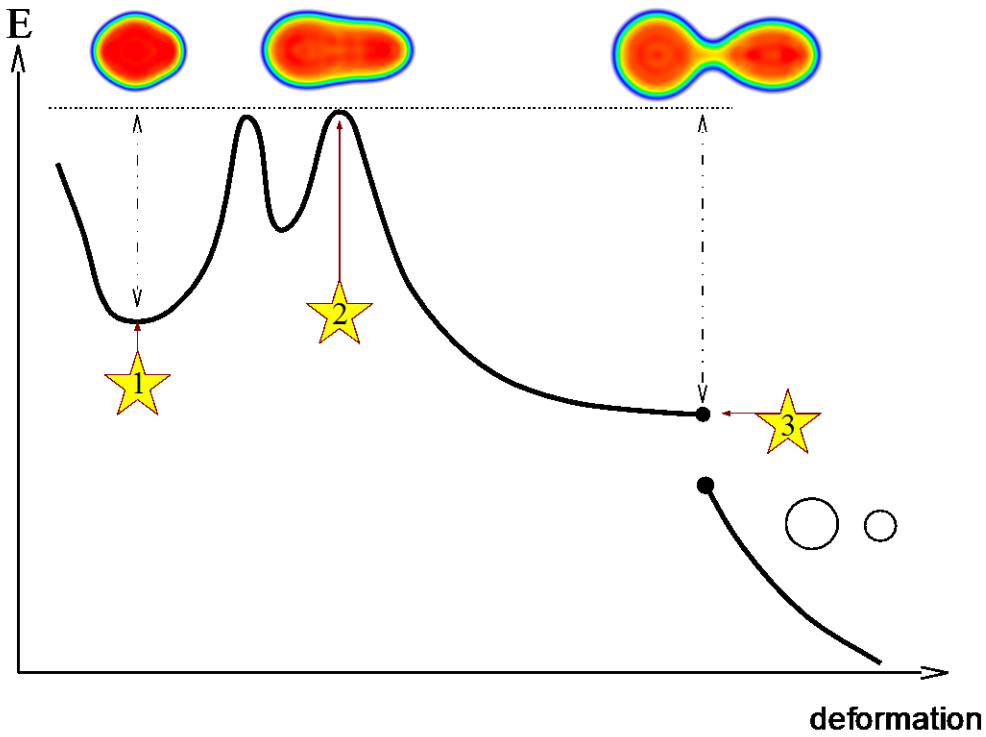
Scission-point model

- Strong hypothesis are needed:
 - Static
 - CN formation neglected
 - All fragment properties are frozen
- Very low computing cost

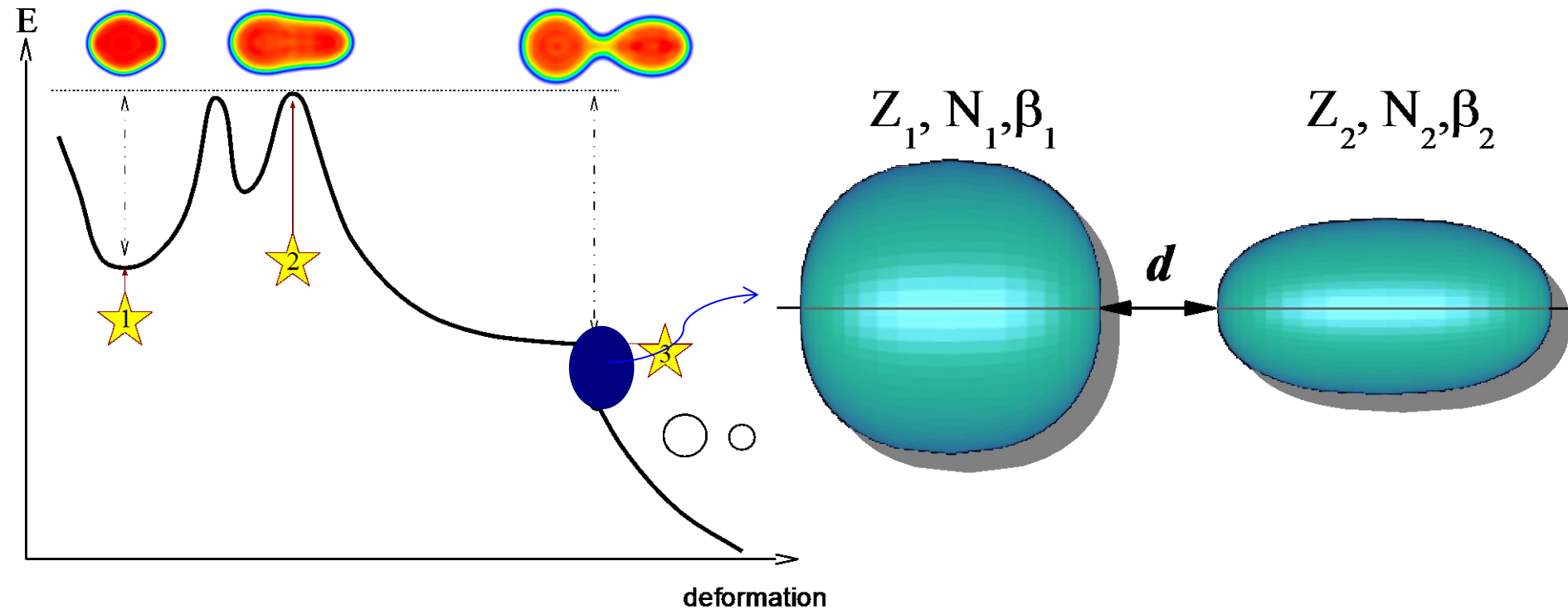
Microscopic data

- Precise treatment of nuclear structure
- No parameters needed
- Only way to explore unknown regions
- Microscopic data are tabulated (fast!)

THE SCISSION-POINT DEFINITION

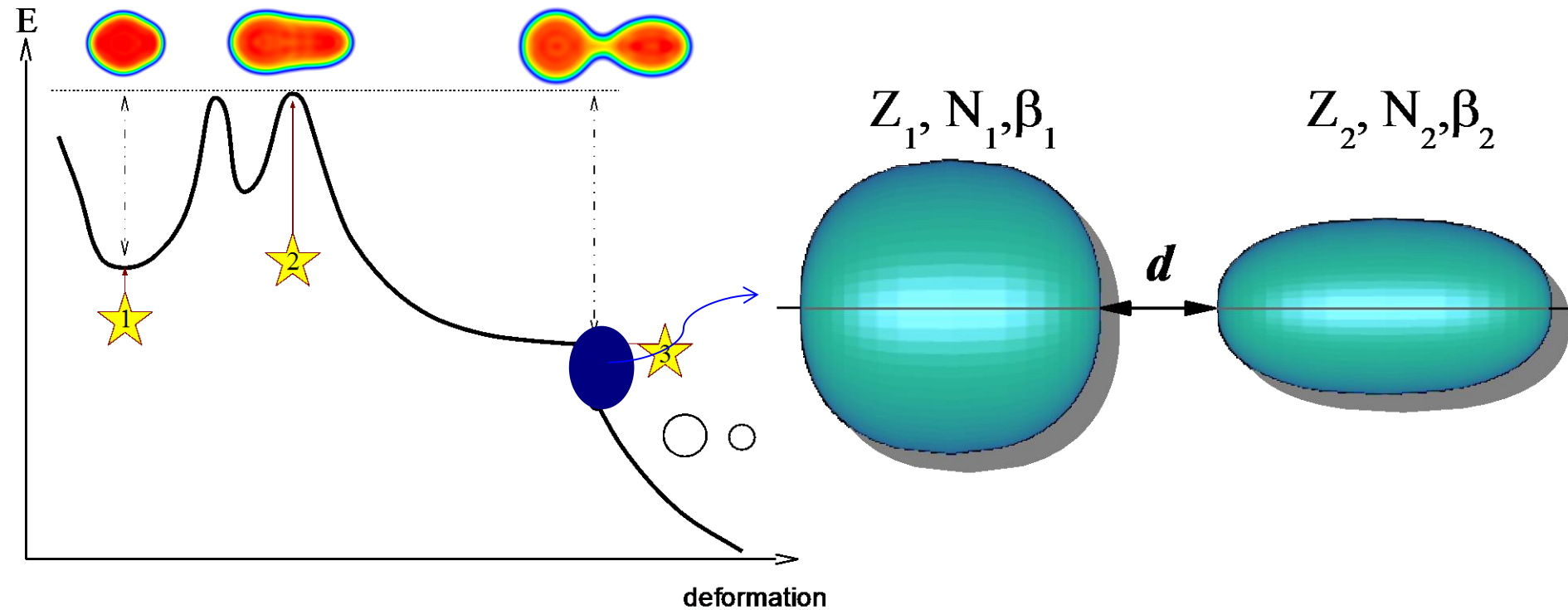


THE SCISSION-POINT DEFINITION



- **Thermodynamic equilibrium** at scission is assumed
→ statistical equilibrium among system degrees of freedom
 - **Isolated fragments**
→ microcanonical statistical description
- ⇒ all states at scission are equiprobable

THE SCISSION-POINT DEFINITION



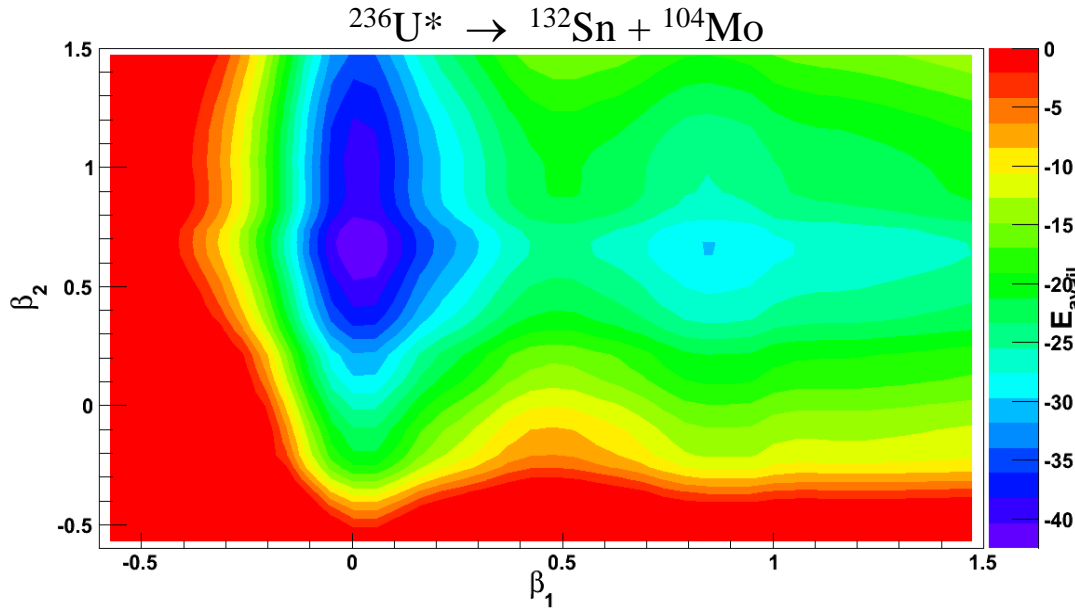
The system configuration is defined by the two fragments DoF :

- proton and neutron numbers (Z_1, N_1, Z_2, N_2)
- quadrupolar deformations (β_1, β_2)
- intrinsic excitation energy (E_1^*, E_2^*)

Two quantities are needed to calculate average observables :

- **available energy** for each configuration : E_{avail}
- **state density** of the two fragments: ρ_1, ρ_2

- Available energy calculation for each fragmentation (500-1000)



→ fragments individual energy
from **HFB calculation** with Gogny
D1S interaction (**Amedee data base**)

S. Hilaire et al., Eur. Phys. Jour. A 33 (2007) 237

→ interaction energy
(nuclear + Coulomb interactions)

J. Blocki et al., Annals of Physics 105 (1977) 427

S. Cohen et al., Annals of Physics 19 (1962) 67

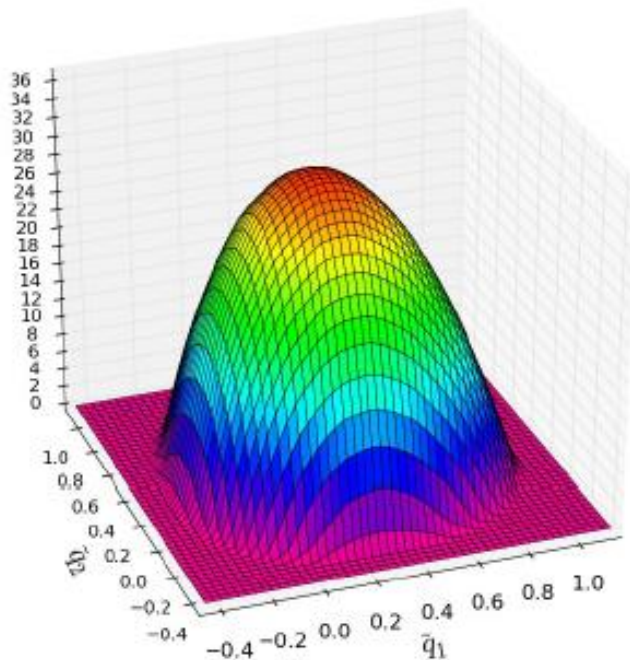
$$\begin{aligned}
 E_{\text{avail}} = & E_{\text{HFB1}}(Z_1, N_1, \beta_1) + E_{\text{HFB2}}(Z_2, N_2, \beta_2) \\
 & + E_{\text{Coul}}(d, Z_1, N_1, \beta_1, Z_2, N_2, \beta_2) + E_{\text{nucl}}(d, Z_1, N_1, \beta_1, Z_2, N_2, \beta_2) \\
 & - E_{\text{CN}}
 \end{aligned}$$

if $E_{\text{avail}} < 0$: fragmentation is allowed

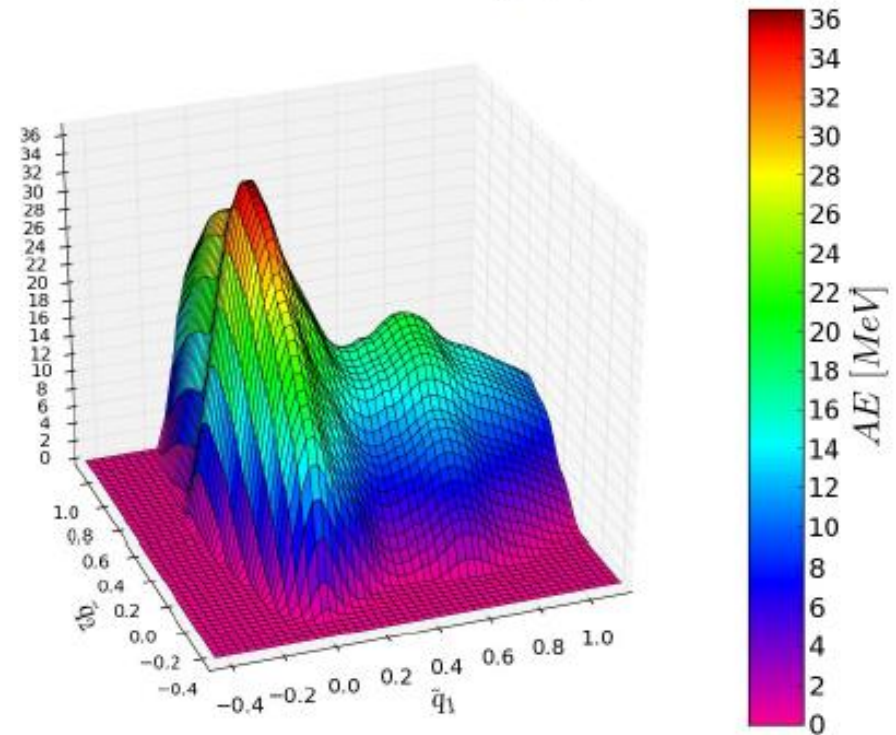
WHAT THE MICROSCOPY BRINGS

- Available energy calculation for each fragmentation (500-1000)

liquid drop model (macroscopic)



Amedee data base : HFB+Gogny (microscopic)



$$E_{\text{avail}} = \left| E_{\text{HFB1}} + E_{\text{HFB2}} + E_{\text{coul}} + E_{\text{nucl}} - E_{\text{CN}} \right|$$

- The **probability of a given fragmentation** is related to the **phase space** available at scission
- The phase space is defined by the **number of available states** of each fragment, i.e. the intrinsic **state density**
- The energy partition at scission is supposed to be equiprobable between each state available to the system (**microcanonical**)
- Therefore the probability of a configuration is defined as:

$$\pi(Z_1, N_1, Z_2, N_2, \beta_1, \beta_2, x) = \rho_1(x | E_{\text{avail}}) \rho_2((1-x) | E_{\text{avail}}) \delta E^2$$

with x the fraction of energy available to excite fragment 1

- Hence, the probability of a fragmentation is easily calculated:

$$\Pi(Z_1, N_1, Z_2, N_2, \beta_1, \beta_2) = \int_0^1 \pi(Z_1, N_1, Z_2, N_2, \beta_1, \beta_2, x) dx$$

$$P(Z_1, N_1, Z_2, N_2) = \int_{-0.6}^{1.3} \int_{-0.6}^{1.3} \Pi(Z_1, N_1, Z_2, N_2, \beta_1, \beta_2) d\beta_1 d\beta_2$$

For the time being, a **Fermi gas level density** is used (CT model)

$$\rho_F(U) = \frac{1}{\sqrt{2\pi}\sigma} \frac{\sqrt{\pi}}{12} \frac{e^{2\sqrt{aU}}}{a^{1/4}U^{5/4}}$$

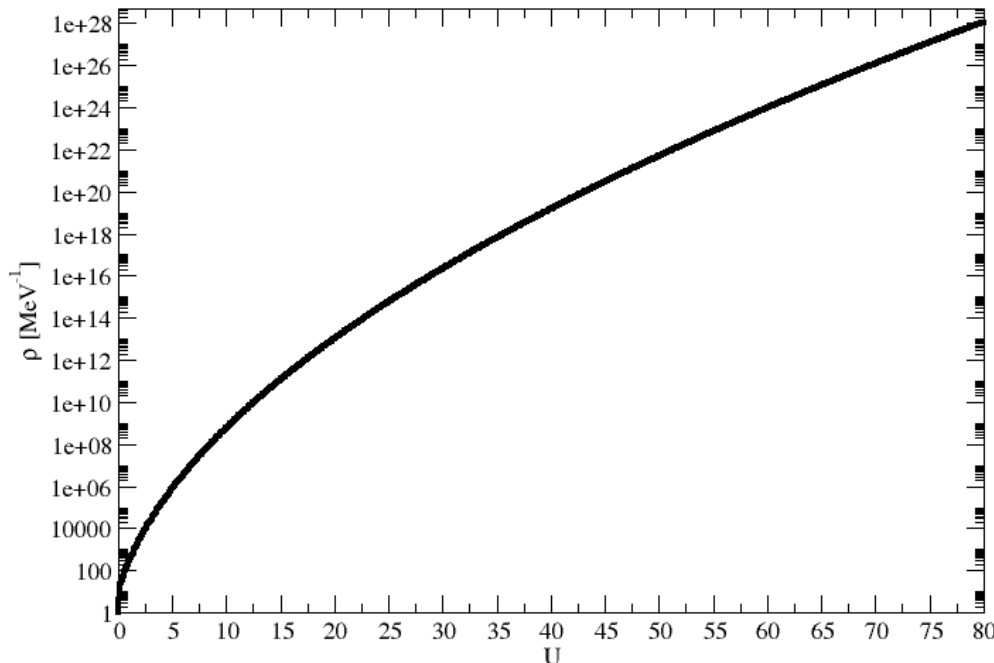
$$a = \alpha A + \beta A^{2/3}$$

$$\alpha = 0.0692559, \beta = 0.282769$$

$$\sigma = I_0 a \sqrt{U} / a$$

A. Koning et al., Nucl. Phys. A 810 (2008) 13

¹³²Sn

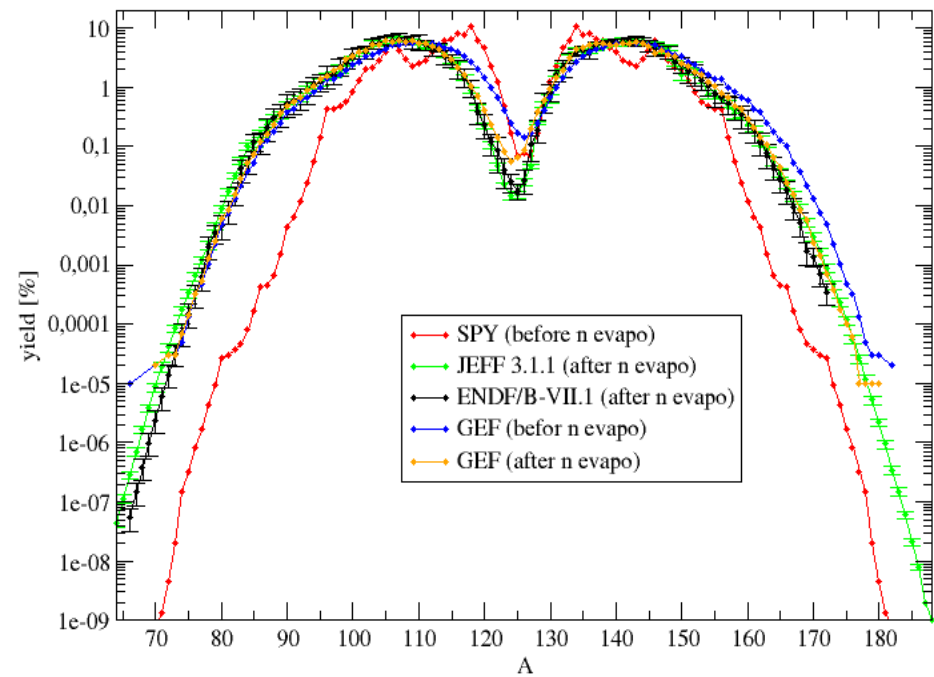
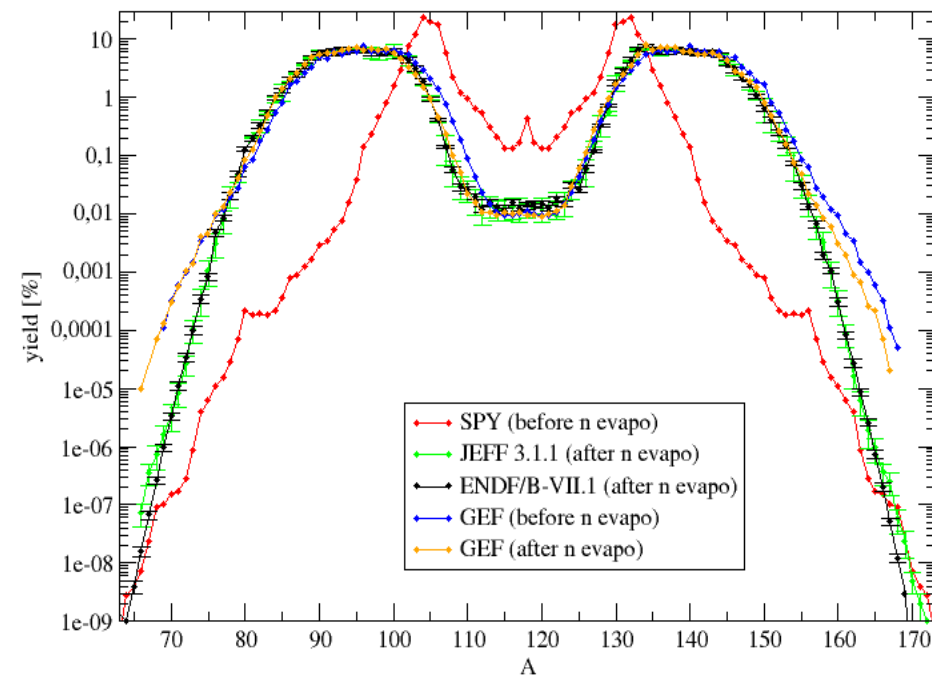


No dependence on deformation

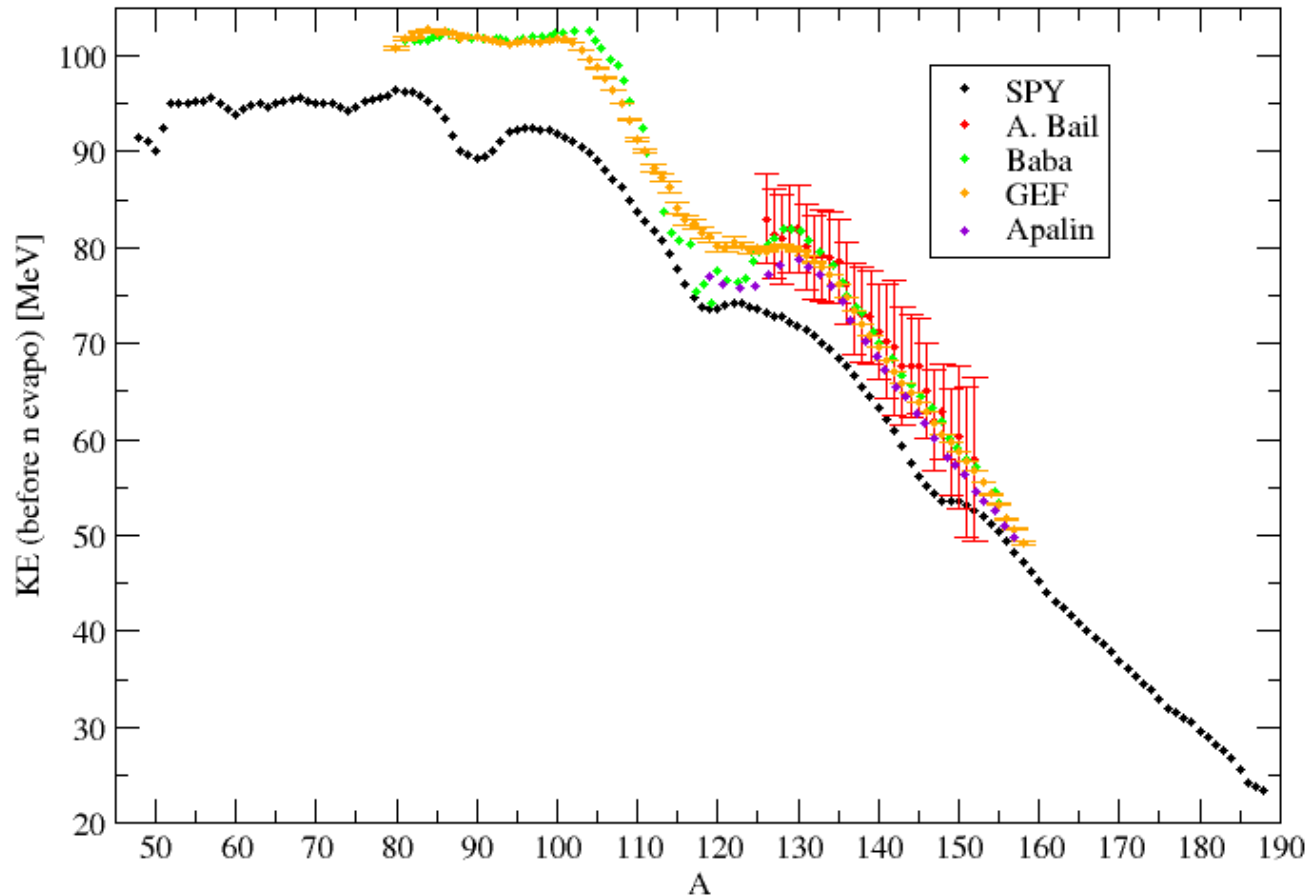
Fission yields of $^{235}\text{U}(n_{\text{th}},f)$ and $^{252}\text{Cf}(sf)$

$^{235}\text{U}(n_{\text{th}},f)$

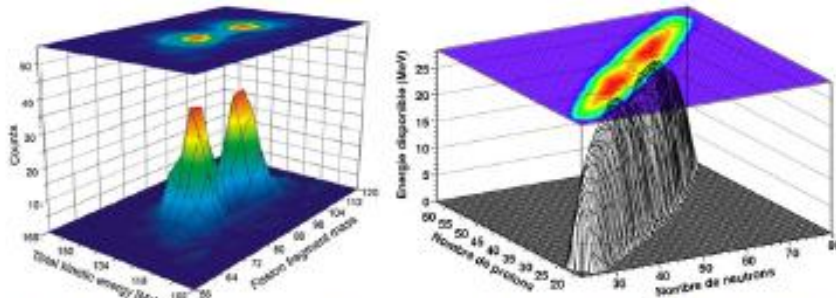
$^{252}\text{Cf}(sf)$



Kinetic Energy of fragments from $^{235}\text{U}(n_{\text{th}},f)$



Light exotic nucleus Two-humped mass distribution



Andreyev et al., *PRL* 105 (2011) 252502

S. Panebianco et al., *PRC* 86 (2012) 064601

PHYSICAL REVIEW C **86**, 064601 (2012)

Role of deformed shell effects on the mass asymmetry in nuclear fission of mercury isotopes

Stefano Panebianco, Jean-Luc Sida, H eloise Goutte, and Jean-Fran ois Lema tre
IRFU/Service de Physique Nucl eaire, CEA Centre de Saclay, F-91191 Gif-sur-Yvette, France

No l Dubray and St ephane Hilaire
CEA, DAM, DIF, F-91297, Arpajon, France
(Received 9 October 2012; published 3 December 2012)

Until now, the mass asymmetry in the nuclear fission process has been understood in terms of the strong influence of the nuclear structure of the nascent fragments. Recently, a surprising asymmetric fission has been discovered in the light mercury region and has been interpreted as the result of the influence of the nuclear structure of the parent nucleus, totally discarding the influence of the fragments' structure. To assess the role of the fragment shell effects in this particular region, a scission-point model, based on a full energy balance between the two nascent fragments, has been developed using one of the best theoretical descriptions of microscopic nuclear structure. As for actinides, this approach shows that the asymmetric splitting of the ^{180}Hg nucleus and the symmetric one of ^{198}Hg can be understood on the basis of only the microscopic nuclear structure of the fragments at scission.

DOI: 10.1103/PhysRevC.86.064601

PACS number(s): 24.75.+j, 25.85.-w, 27.80.+w

PRL 111, 242502 (2013)

PHYSICAL REVIEW LETTERS

week ending
13 DECEMBER 2013

New Fission Fragment Distributions and r -Process Origin of the Rare-Earth Elements

S. Gorityl,¹ J.-L. Sida,² J.-F. Lema tre,² S. Panebianco,² N. Dubray,³ S. Hilaire,³ A. Bauswein,^{4,5} and H.-T. Janka²

¹*Institut d'Astronomie et d'Astrophysique, CP 226, Universit  Libre de Bruxelles, 1050 Brussels, Belgium*

²*C.E.A. Saclay, IRFU/Service de Physique Nucl eaire, 91191 Gif-sur-Yvette, France*

³*CEA, DAM, DIF, F-91297 Arpajon, France*

⁴*Department of Physics, Aristotle University of Thessaloniki, 54124 Thessaloniki, Greece*

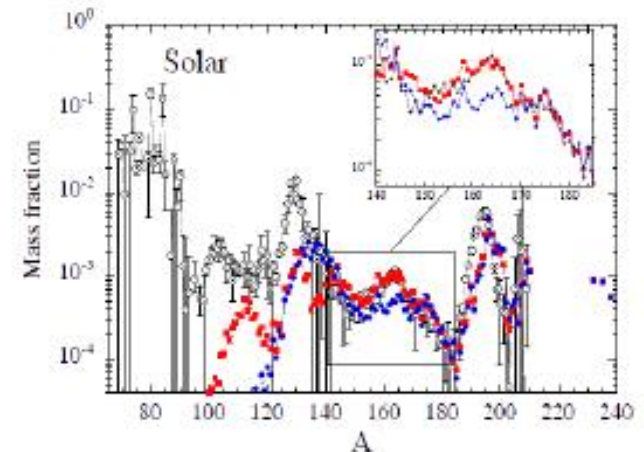
⁵*Max-Planck-Institut f r Astrophysik, Postfach 1317, 85741 Garching, Germany*

(Received 10 September 2013; revised manuscript received 26 October 2013; published 9 December 2013)

Neutron star (NS) merger ejecta offer a viable site for the production of heavy r -process elements with nuclear mass numbers $A \approx 140$. The crucial role of fission recycling is responsible for the robustness of this site against many astrophysical uncertainties, but calculations sensitively depend on nuclear physics. In particular, the fission fragment yields determine the creation of $110 \lesssim A \lesssim 170$ nuclei. Here, we apply a new scission-point model, called SPY, to derive the fission fragment distribution (FFD) of all relevant neutron-rich, fissioning nuclei. The model predicts a doubly asymmetric FFD in the abundant $A = 278$ mass region that is responsible for the final recycling of the fissioning material. Using ejecta conditions based on relativistic NS merger calculations, we show that this specific FFD leads to a production of the $A \approx 165$ rare-earth peak that is nicely compatible with the abundance patterns in the Sun and metal-poor stars. This new finding further strengthens the case of NS mergers as possible dominant origin of r nuclei with $A \approx 140$.

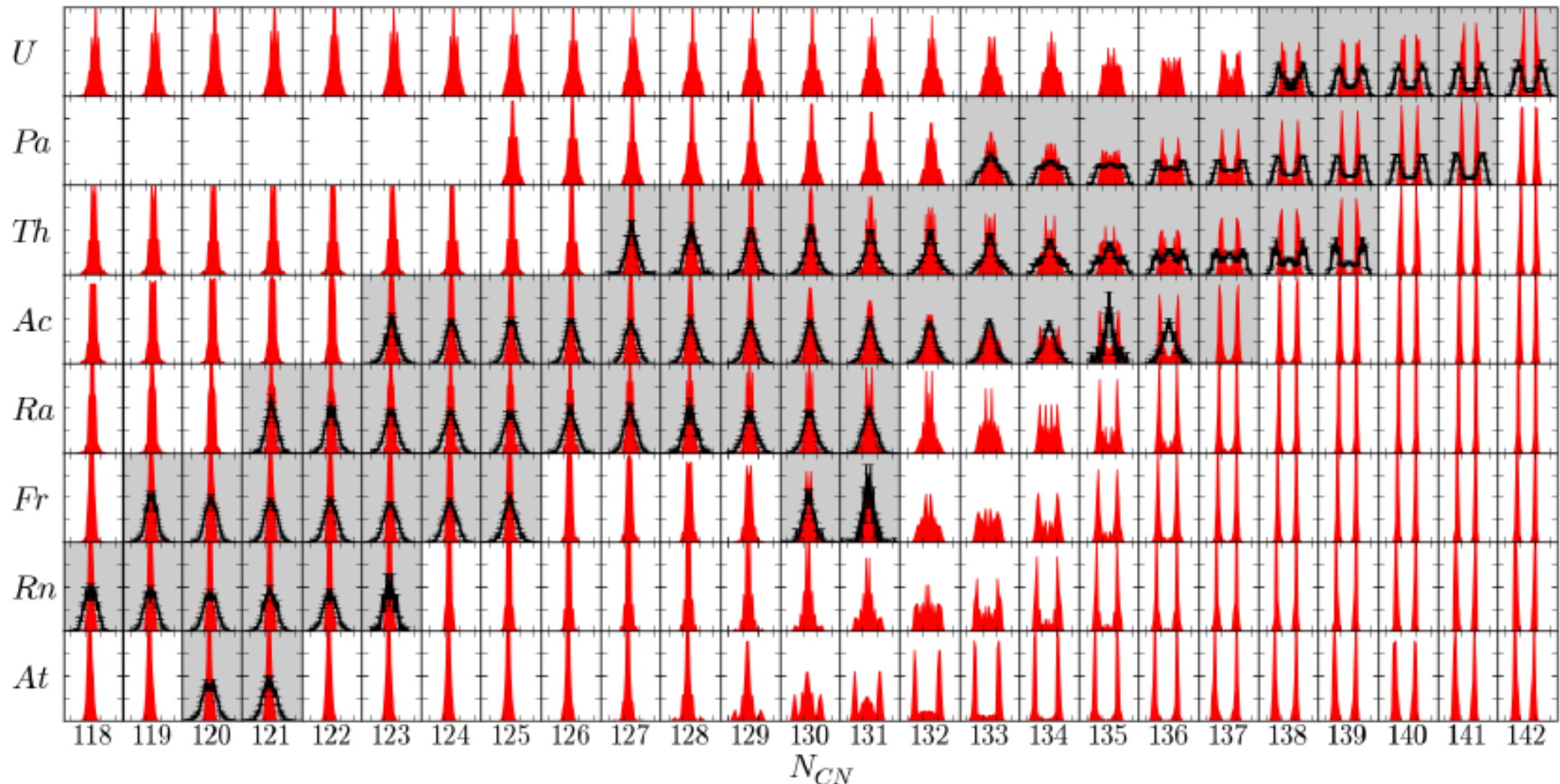
DOI: 10.1103/PhysRevLett.111.242502

PACS number(s): 24.75.+j, 25.85.-w, 26.30.Hj, 26.60.Gj



Heavy exotic nuclei – Huge # of nuclei Four-humped mass distributions

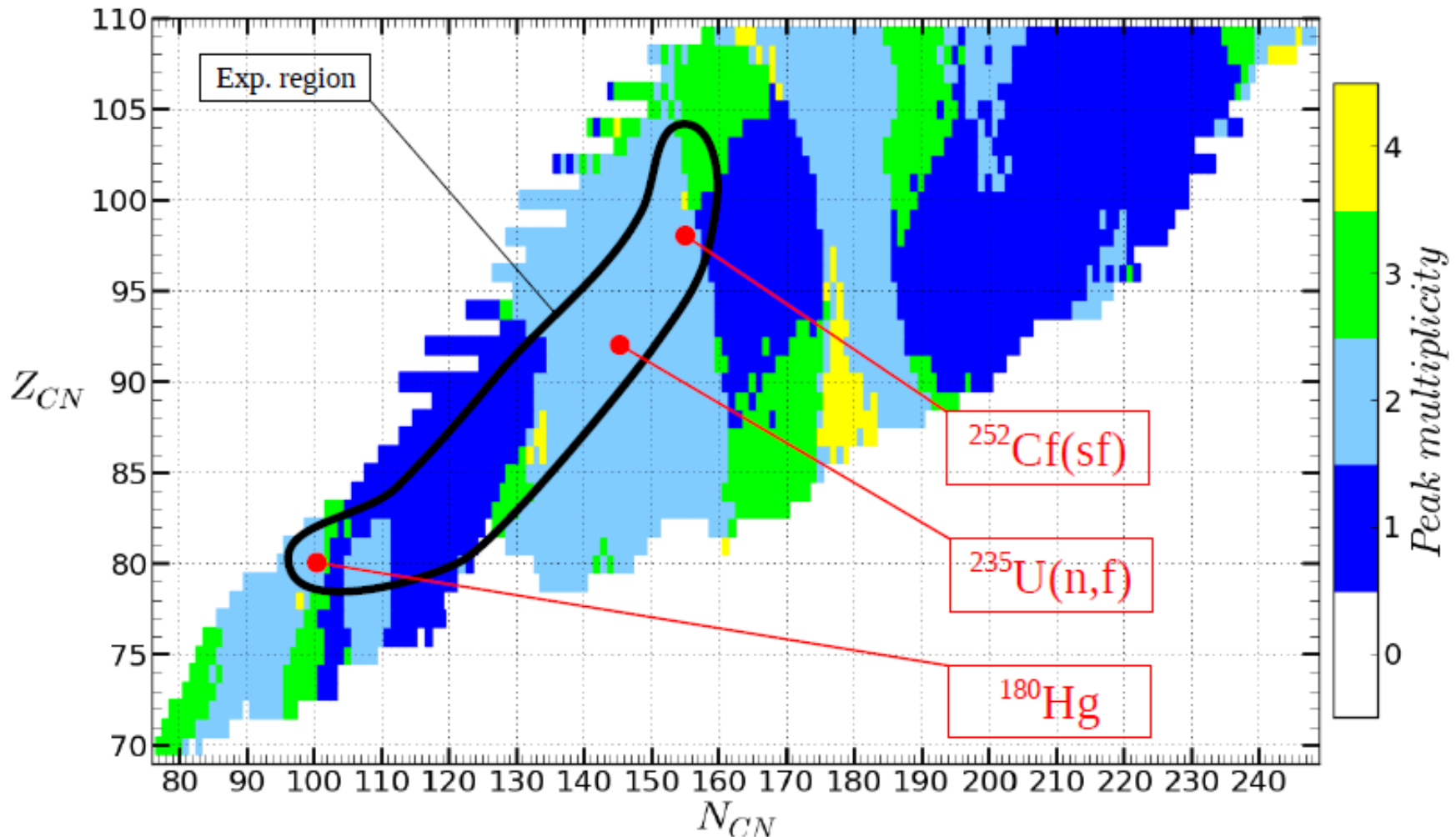
Charge yields from Ac to U isotopic chains



SPY vs GSI data (Nucl. Phys. A 665, 221)

J. F. Lemaître et al., Proc. «Zakopane 2014», 31/08-07/09/2014

Peak multiplicity over the whole nuclear chart



WHAT THE MICROSCOPY BROUGHT

The integration of microscopic description of the nuclei in a statistical scission point model shows that **shell effects drive the mass asymetry**

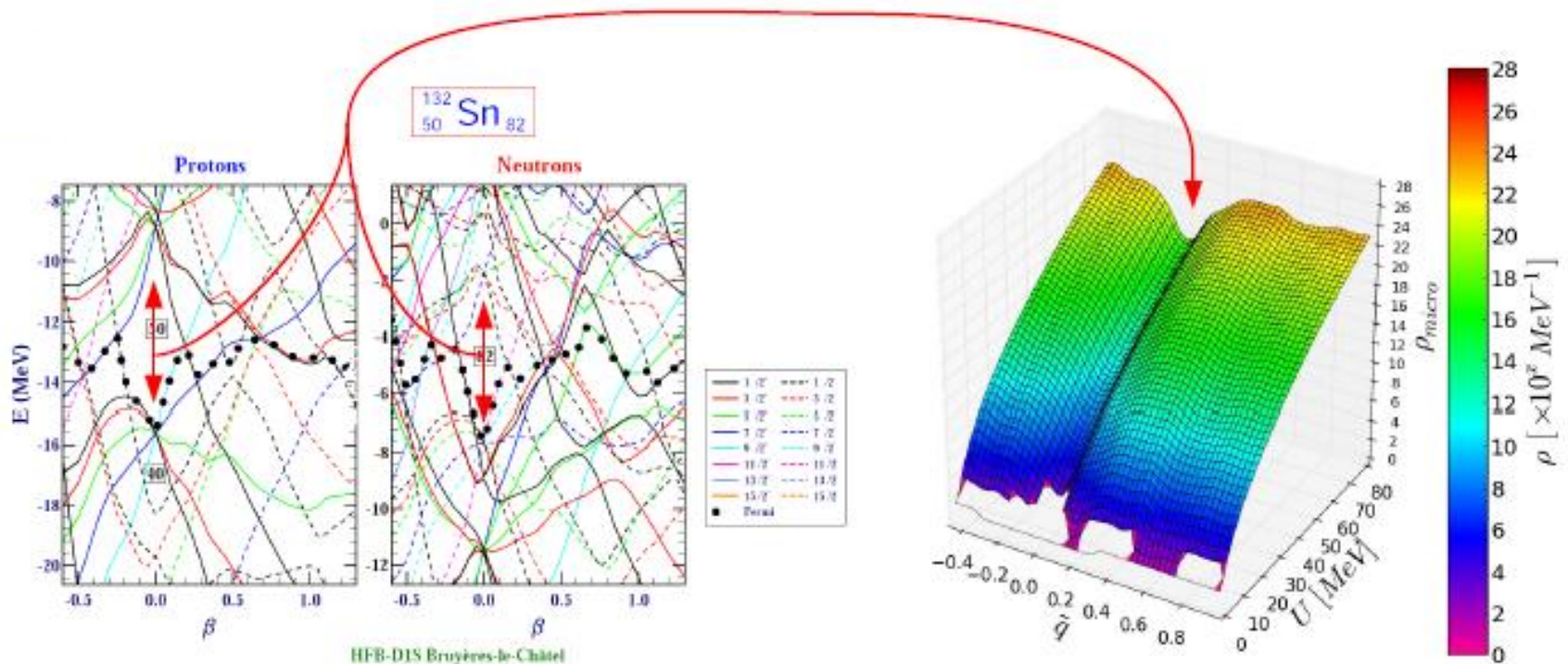
However, these effects are energy (temperature) and deformation dependent and **still too pronounced** (i.e., ^{132}Sn plays as a strong attractor)

J. F. Lemaître et al., paper in preparation for PRC

But : nuclear structure affects also state density:

- Include **microscopic state density** from combinatorial on HFB nucleonic level diagram

energy gap in nucleonic level diagram \Rightarrow drop of state density

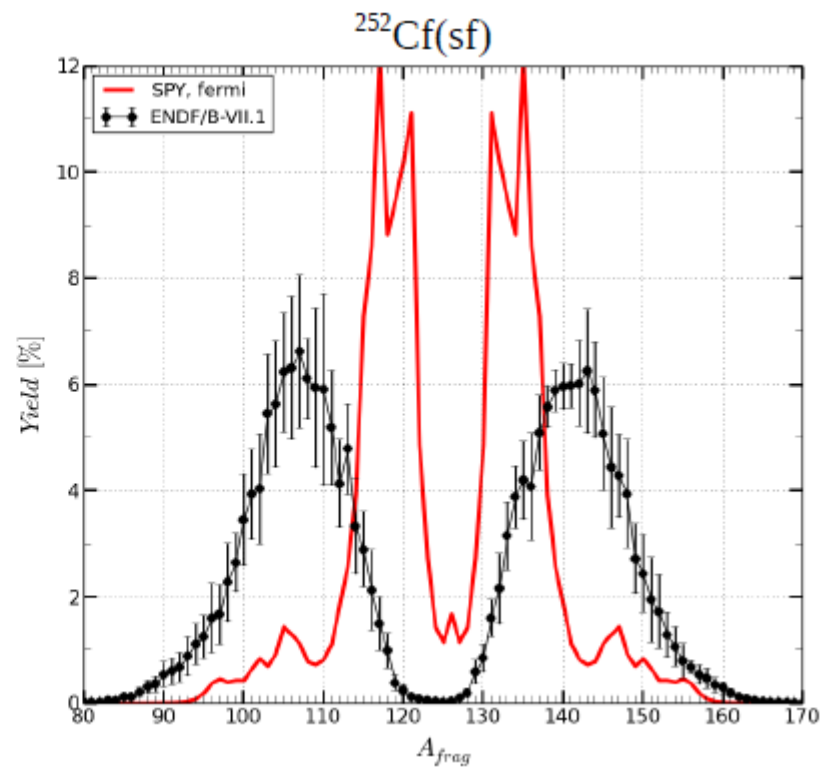
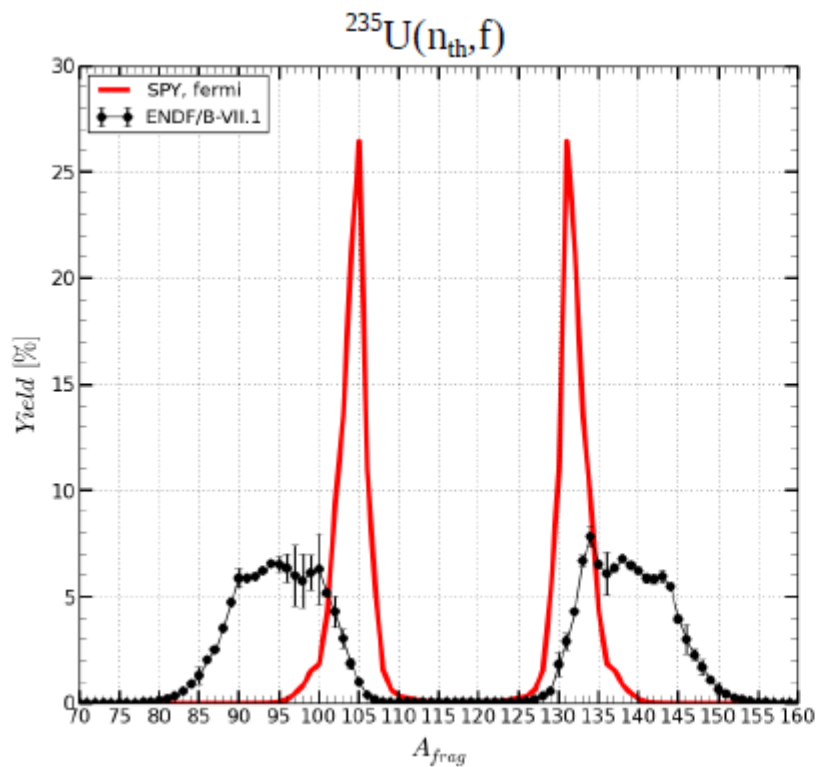


SOME PRELIMINARY RESULTS

Fission yields of $^{235}\text{U}(n_{\text{th}},f)$ and $^{252}\text{Cf}(sf)$

Fragment nuclear structure is present on:

- ✓ Individual energy (HFB – Gogny D1S)
- State density (Fermi gas)

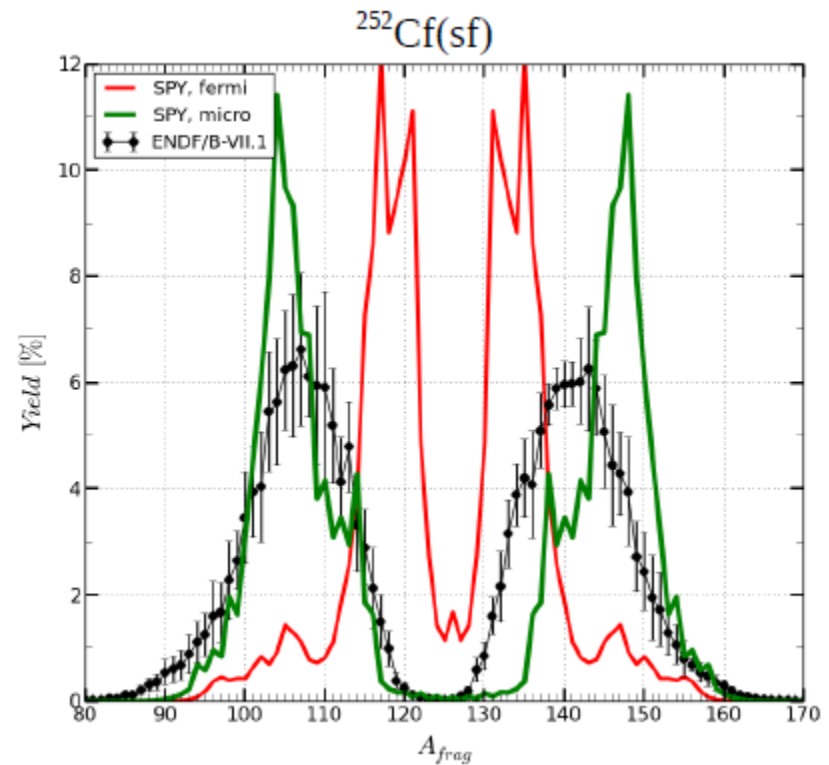
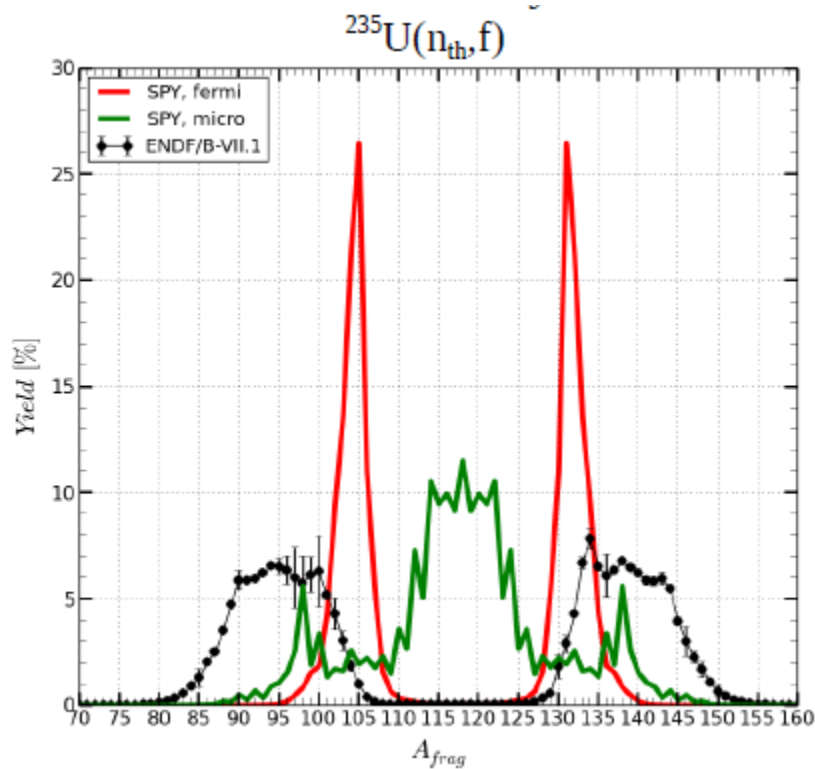


SOME PRELIMINARY RESULTS

Fission yields of $^{235}\text{U}(n_{\text{th}},f)$ and $^{252}\text{Cf}(sf)$

Fragment nuclear structure is present on:

- ✓ Individual energy (HFB – Gogny D1S)
- ✓ State density (HFB – Gogny D1S)



The integration of microscopic description of the nuclei in a statistical scission point model showed that **shell effects drive the mass asymetry**

However, these effects are energy (temperature) and deformation dependent and **still too pronounced** (i.e., ^{132}Sn plays as a strong attractor)

The ongoing developments consist of:

- Explore the richness of **microscopic state density** from HFB
- Include **collectivity** on both HFB energy and states density
- Include HFB data at **finite temperature** (Gogny D1M)

THE LESSON WE'VE LEARNT

Fission = competition between available energy & available states



THE LESSON WE'VE LEARNT

Fission = competition between available energy & available states

